





# Iconicity and Mental Representation

Gabriel Greenberg, UCLA • 4.16.25  
Rutgers Philosophy Colloquium

- 1. Iconicity and symbolism**
- 2. Semantics**
- 3. Mental representation**
- 4. Iconic and symbolic functions**

# Iconicity and symbolism



**ARBOR**

There are likenesses, or **icons**; which serve to convey ideas of the things they represent simply by imitating them... There are **symbols**, or general signs, which have become associated with their meanings by usage.

— Peirce 1894 “What is a Sign?”



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*The linguistic sign is arbitrary...* I mean that it is unmotivated, i.e. arbitrary in that it actually has no natural connection with the signified.

— Saussure 1923 “Course in General Linguistics”

# Symbolic representation

Words

Sentences

Mathematical Formalism

Non-Linguistic Emblems

**ARBOR**

**EQUOS**

貓

entfernen heraus durch  
 nicht zu beantwor  
 g zwischen Gegen  
 Gegenstände? D  
 mimen. Die Str  
 e:  $a = a$  und  $a =$   
 ntniswerte:  $a =$   
 ennen, während  $\exists$   
 rweiterungen un  
 mmer zu begründ  
 eine neue Sonne  
 der folgenreichster  
 e Wiedererkennu  
 icht immer etwas

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$\neg p \rightarrow (p \rightarrow q)$$

$$\neg p \rightarrow [p \rightarrow (q \wedge \neg q)]$$

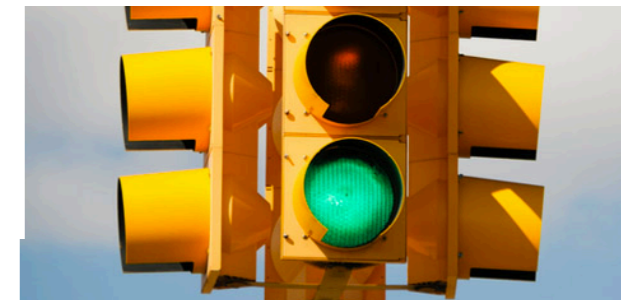
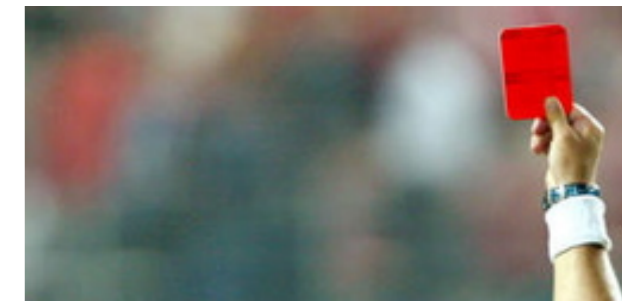
$$(p \rightarrow \neg p) \rightarrow [p \rightarrow (q \wedge \neg q)]$$

$$p \rightarrow (p \vee q)$$

$$p \rightarrow [p \vee (q \wedge \neg q)]$$

$$p \rightarrow [(p \wedge q) \vee (p \wedge \neg q)]$$

- (1)  $x = x$
- (2)  $\forall y (y \neq x) \rightarrow x \neq x$
- (3)  $x = x \rightarrow \neg \forall y (y \neq x)$
- (4)  $x = x \rightarrow \exists y (y = x)$
- (5)  $\exists y (y = x)$
- (6)  $\Box \exists y (y = x)$
- (7)  $\forall x \Box \exists y (y = x)$



# Iconic representation

3D Models



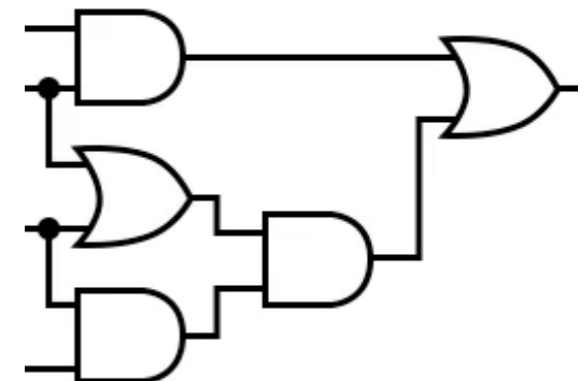
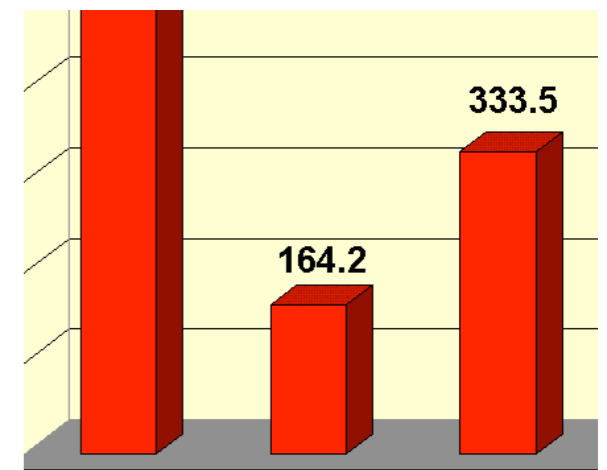
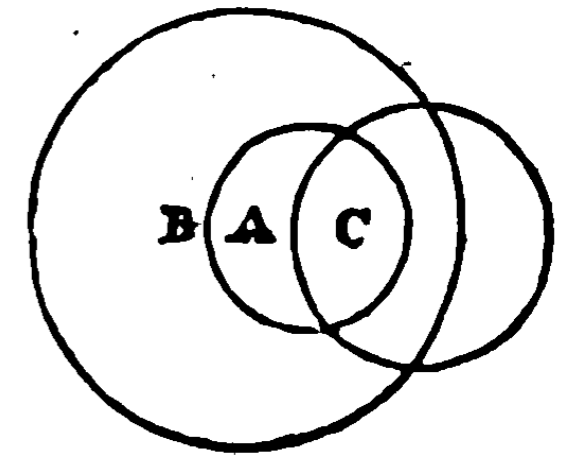
Pictures



Maps



Diagrams





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## Goals

- Are there iconic and symbolic mental representations?
- It depends on your **theory of iconicity and symbolism**.  
There have been many: isomorphism, parts-principle, holism...
- **Plan:** take a recent semantics-based theory for public representations, and extend it to mental representations.
- **Thesis:** iconic and symbolic representation reflect two basic ways for organisms to functionally encode information about the world.
- **Assumptions:** computationalism, representationalism, externalism.



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Language of  
thought

Symbolic  
computation



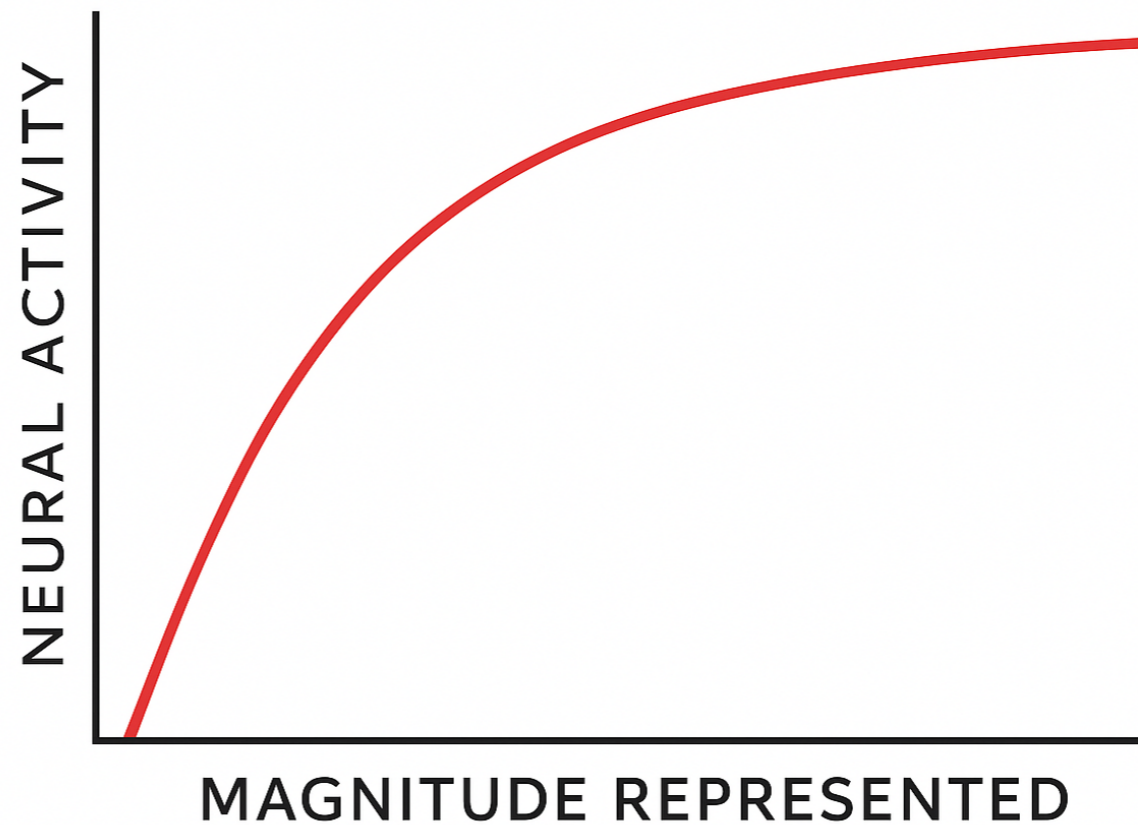
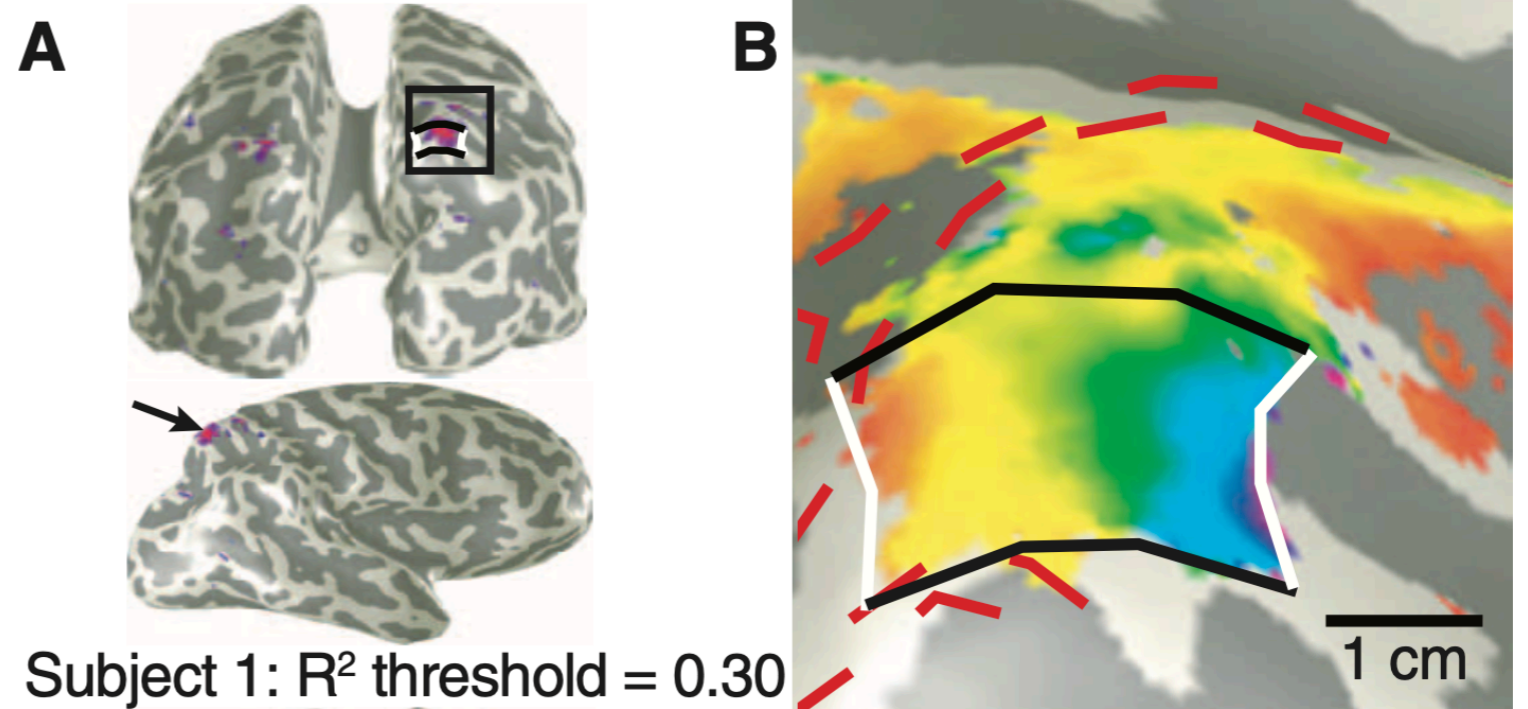
Mental imagery

Mental maps

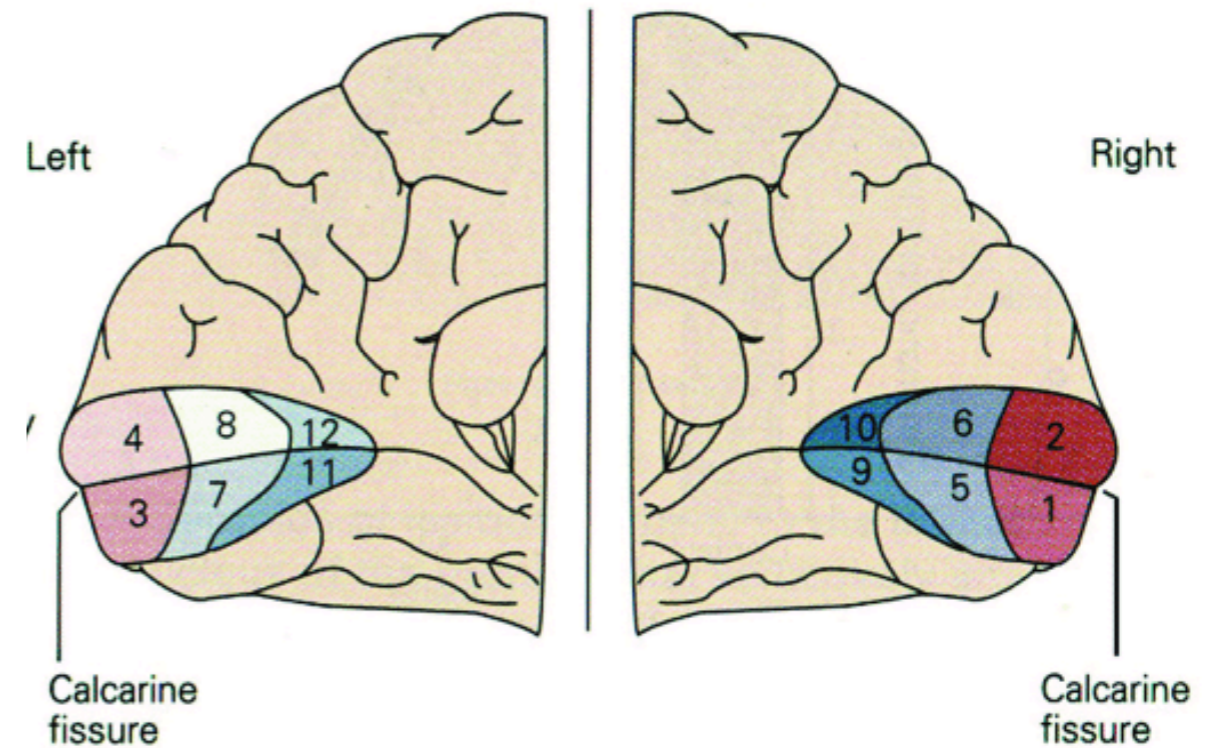
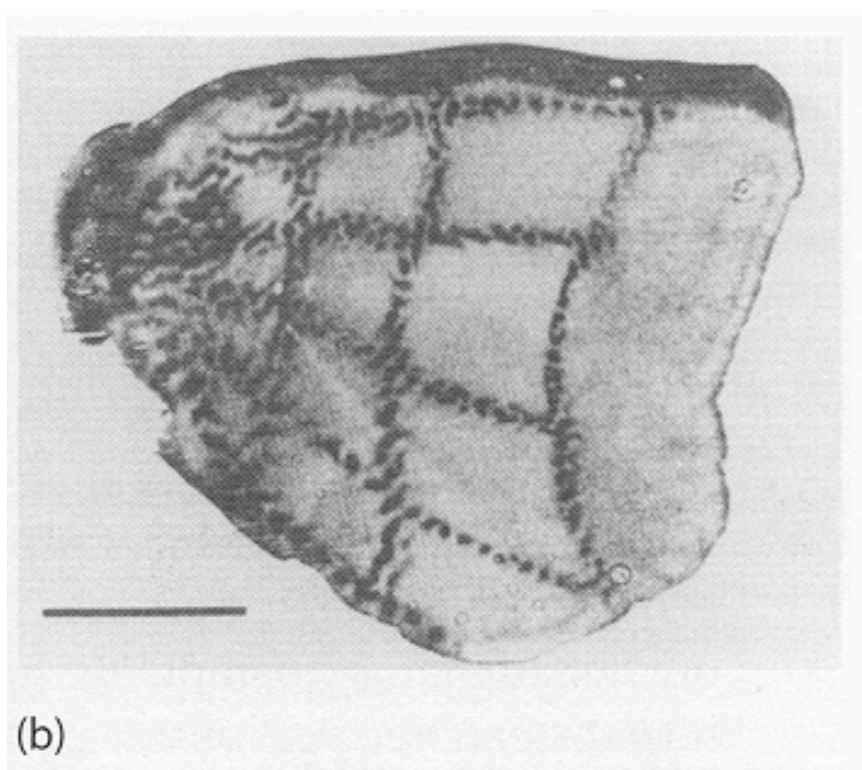
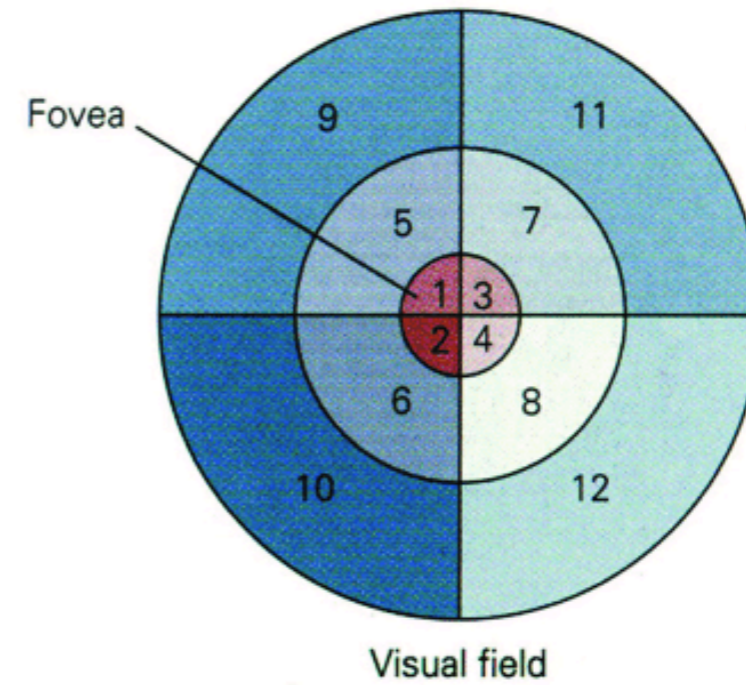
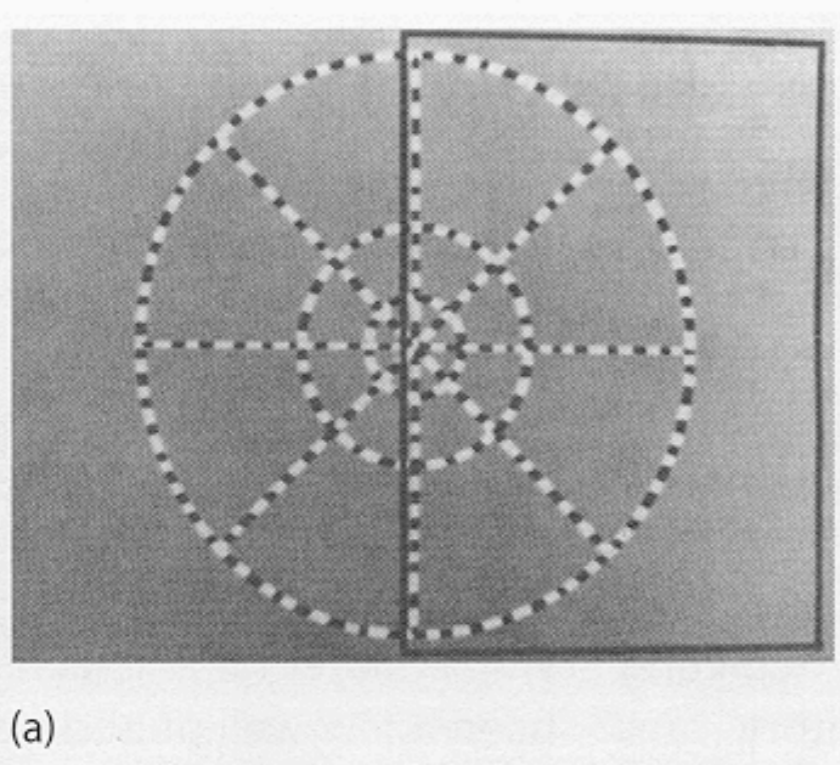
... others?

## Analog magnitude representations:

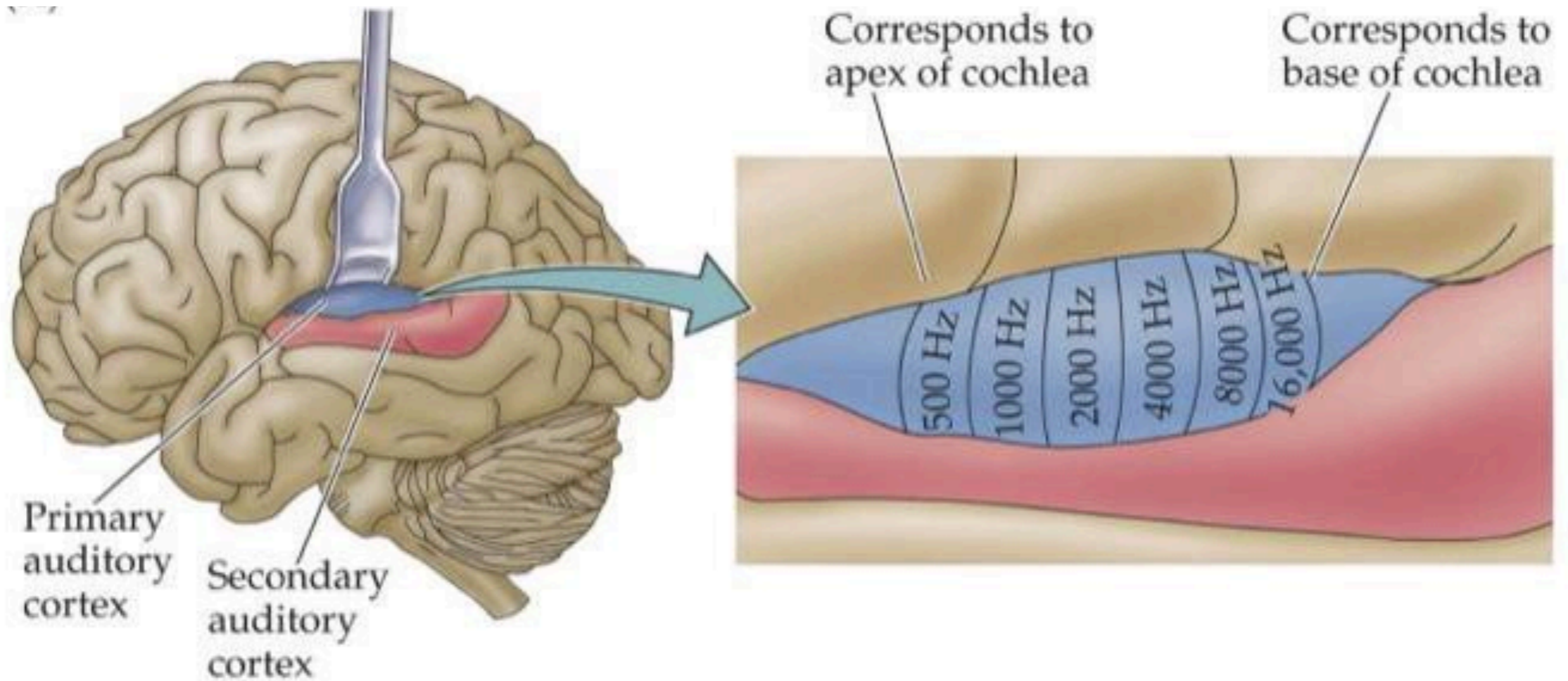
neural populations which logarithmically encode environmental magnitudes.



**Retinotopy:** areas of visual cortex in which spatial layout on the cortical sheet mirrors the spatial layout of visual space.



**Tonotopy:** in the primary auditory cortex, the spatial layout of the cortical sheet mirrors the gradient of sound frequencies.





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Mental  
symbolism

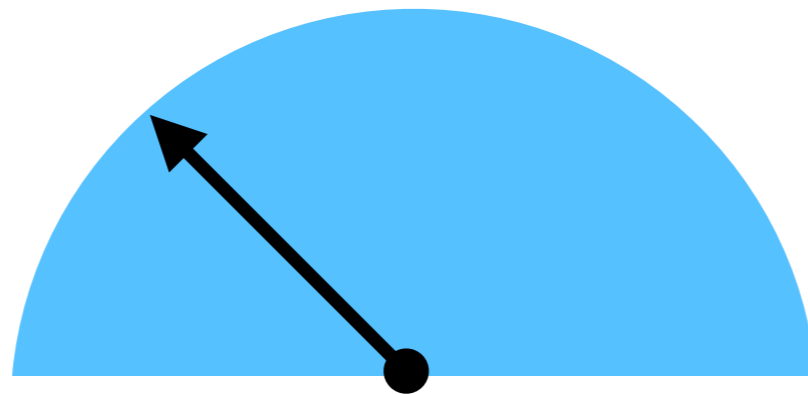


Mental  
iconicity

# Semantics

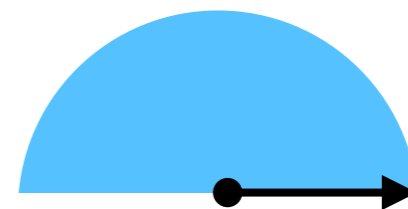
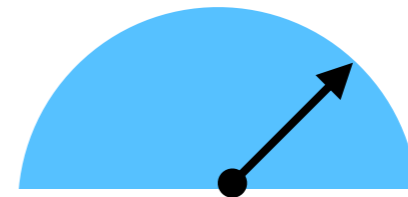
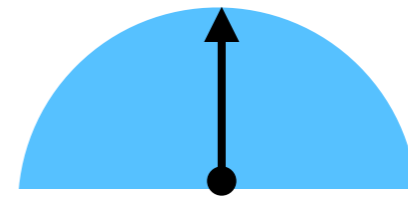
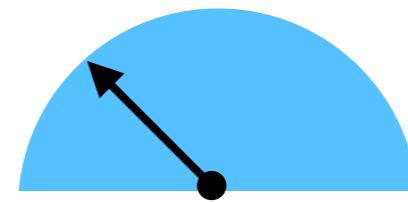
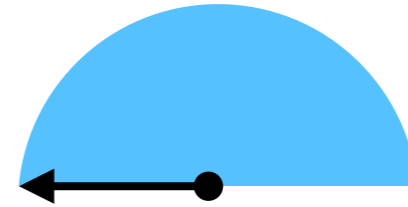
I need to signal to you how many gallons of water are in a tank.

All I've got is this simple dial...

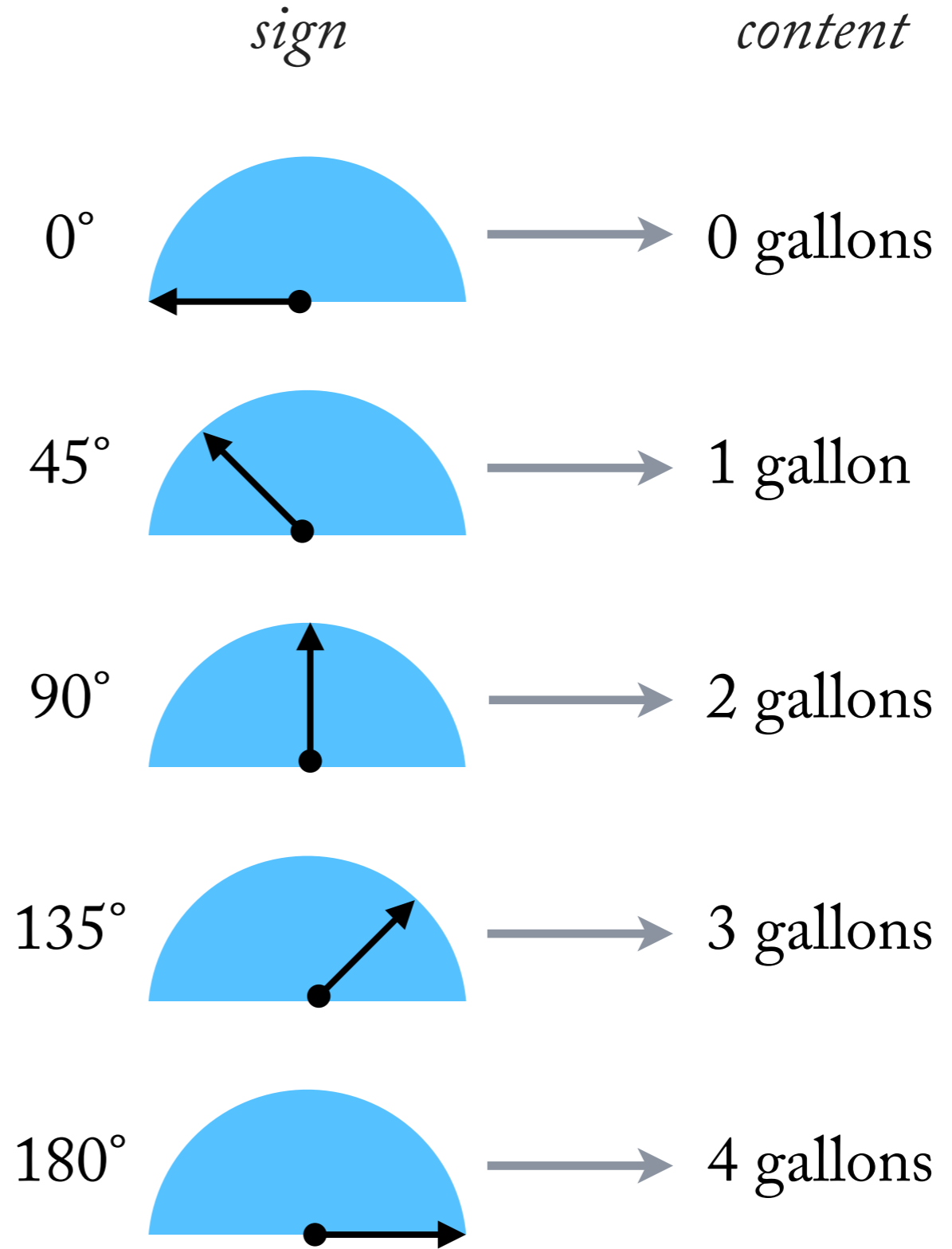


... with five possible settings

... for five possible volumes  
of water in the tank.

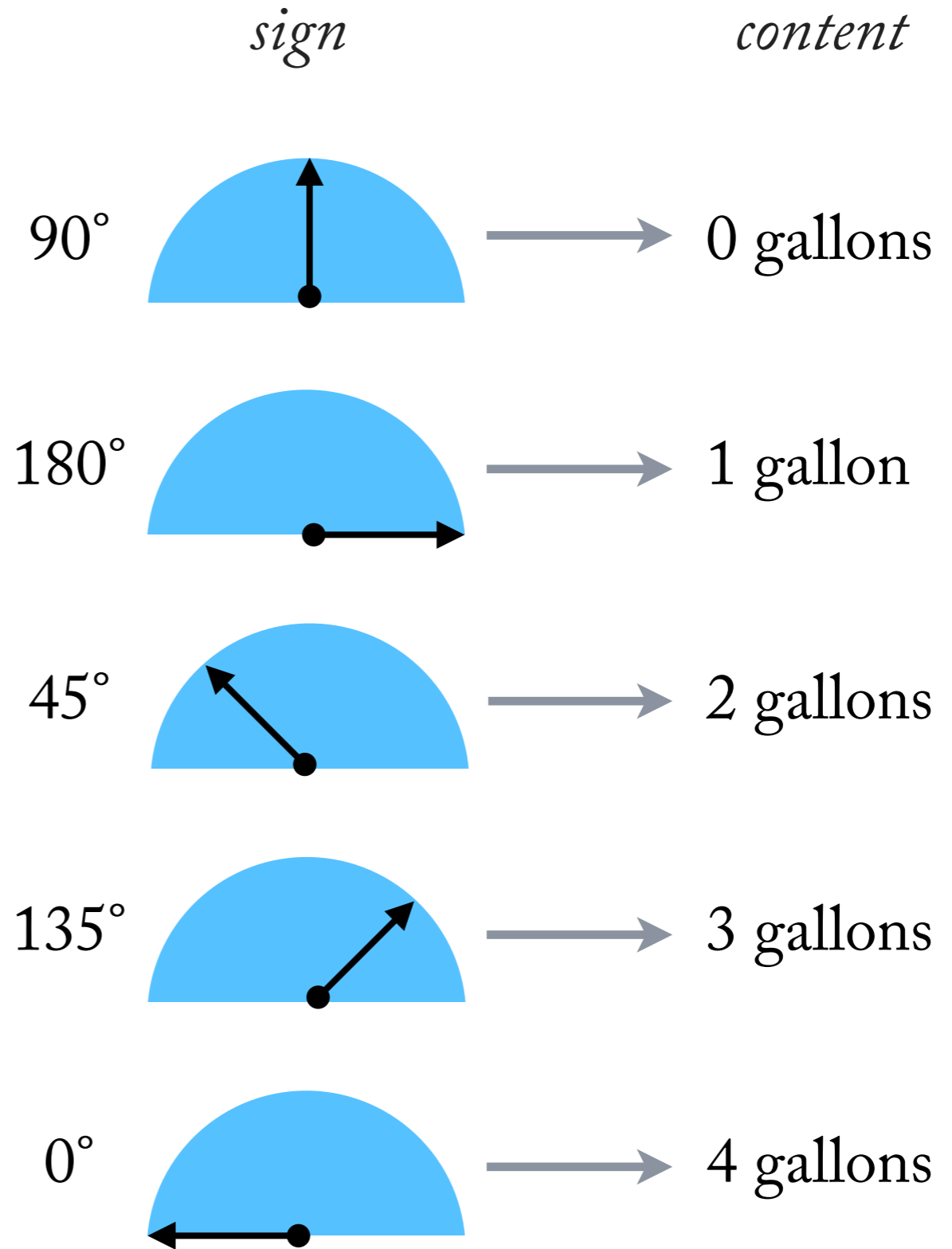


# System I



# System S

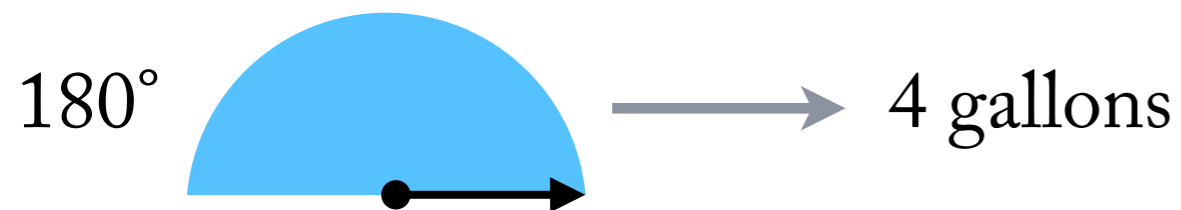
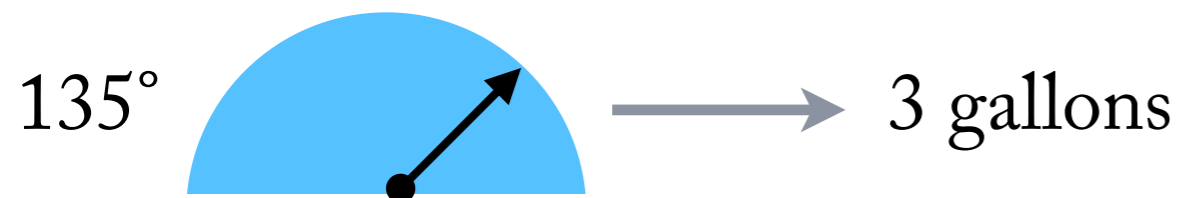
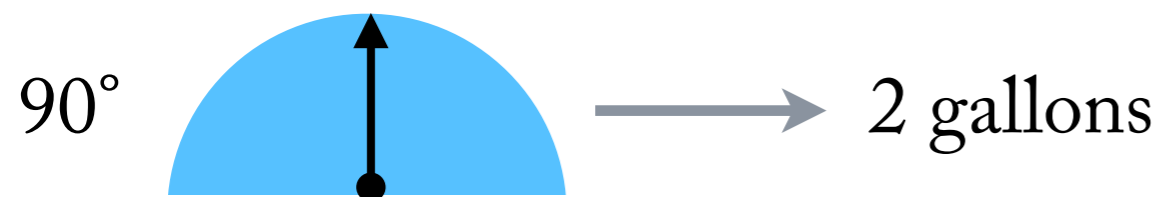
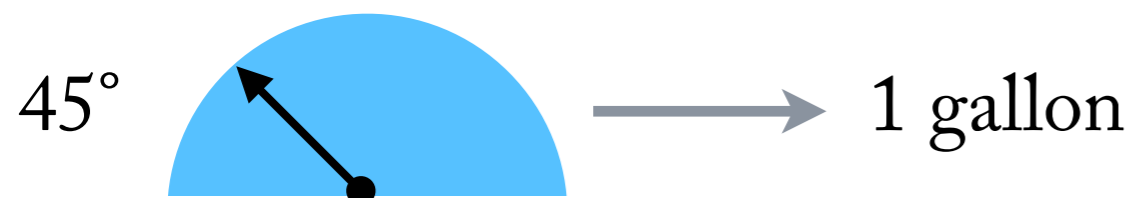
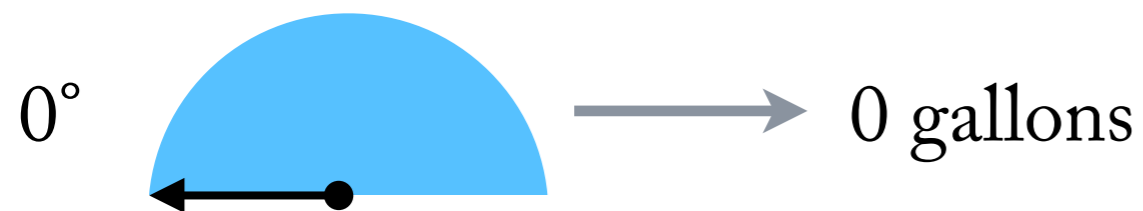
... decided by  
the roll of a die



# System I

*sign*

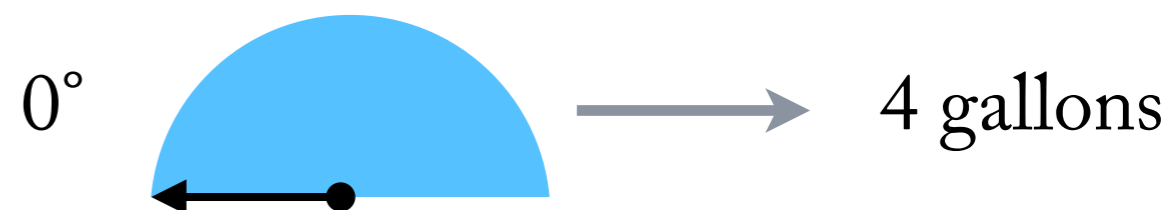
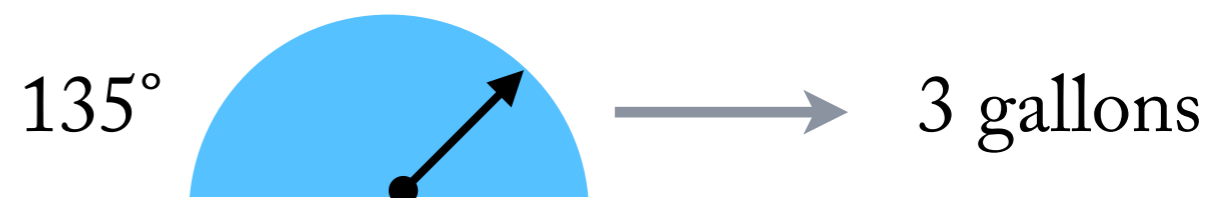
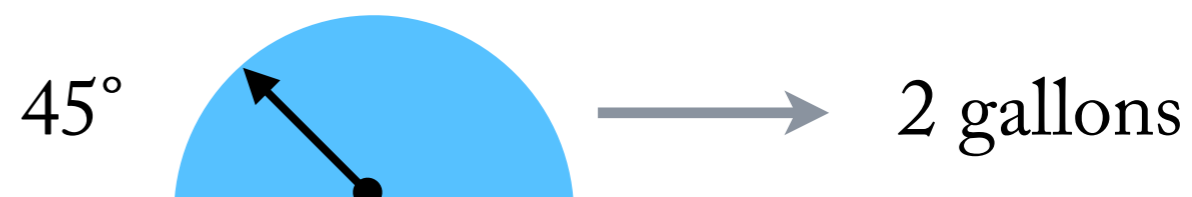
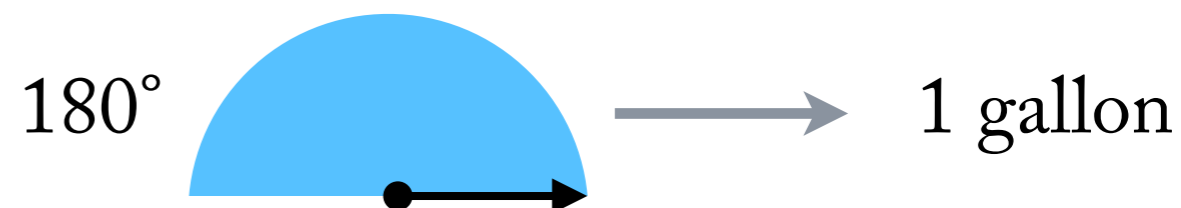
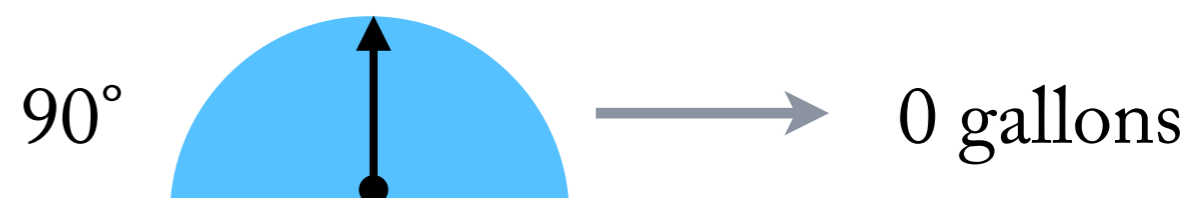
*content*



# System S

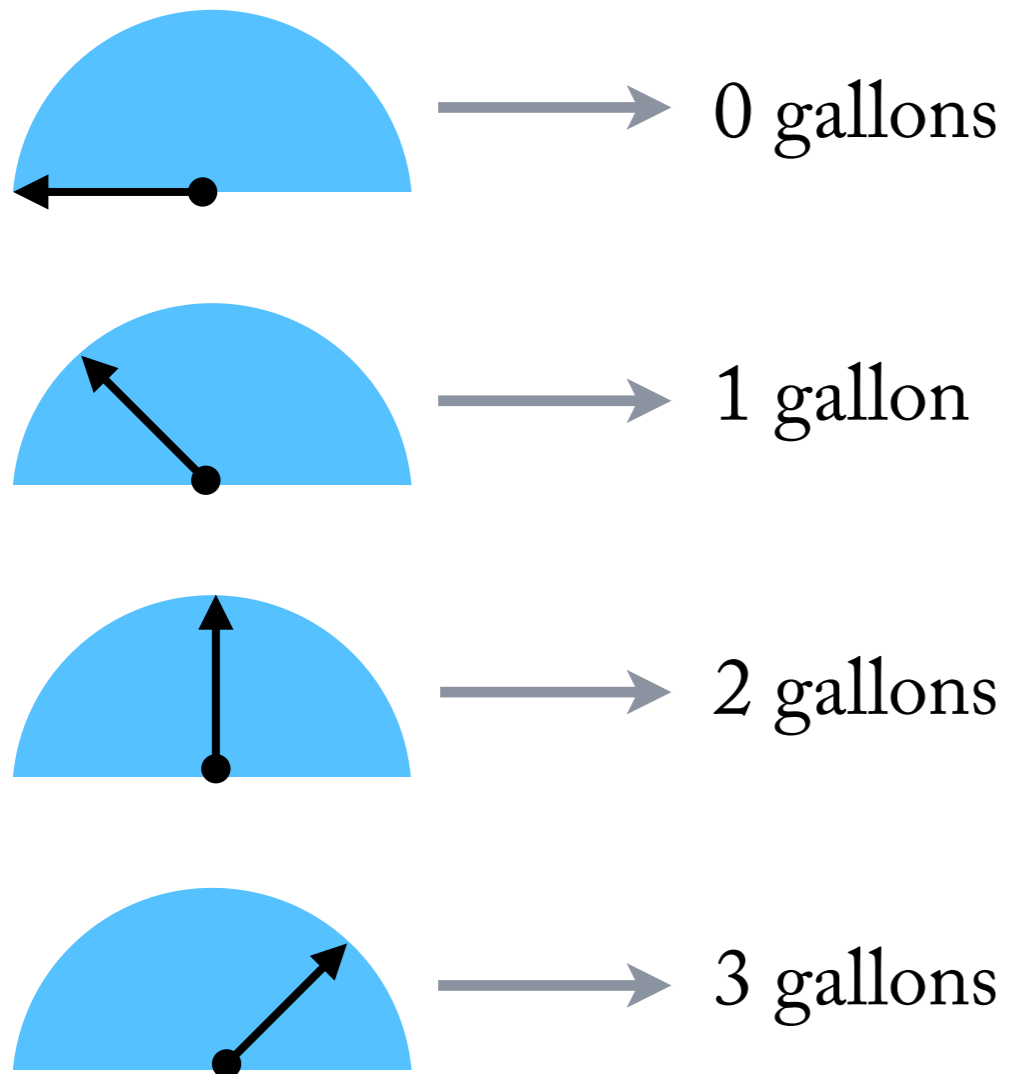
*sign*

*content*

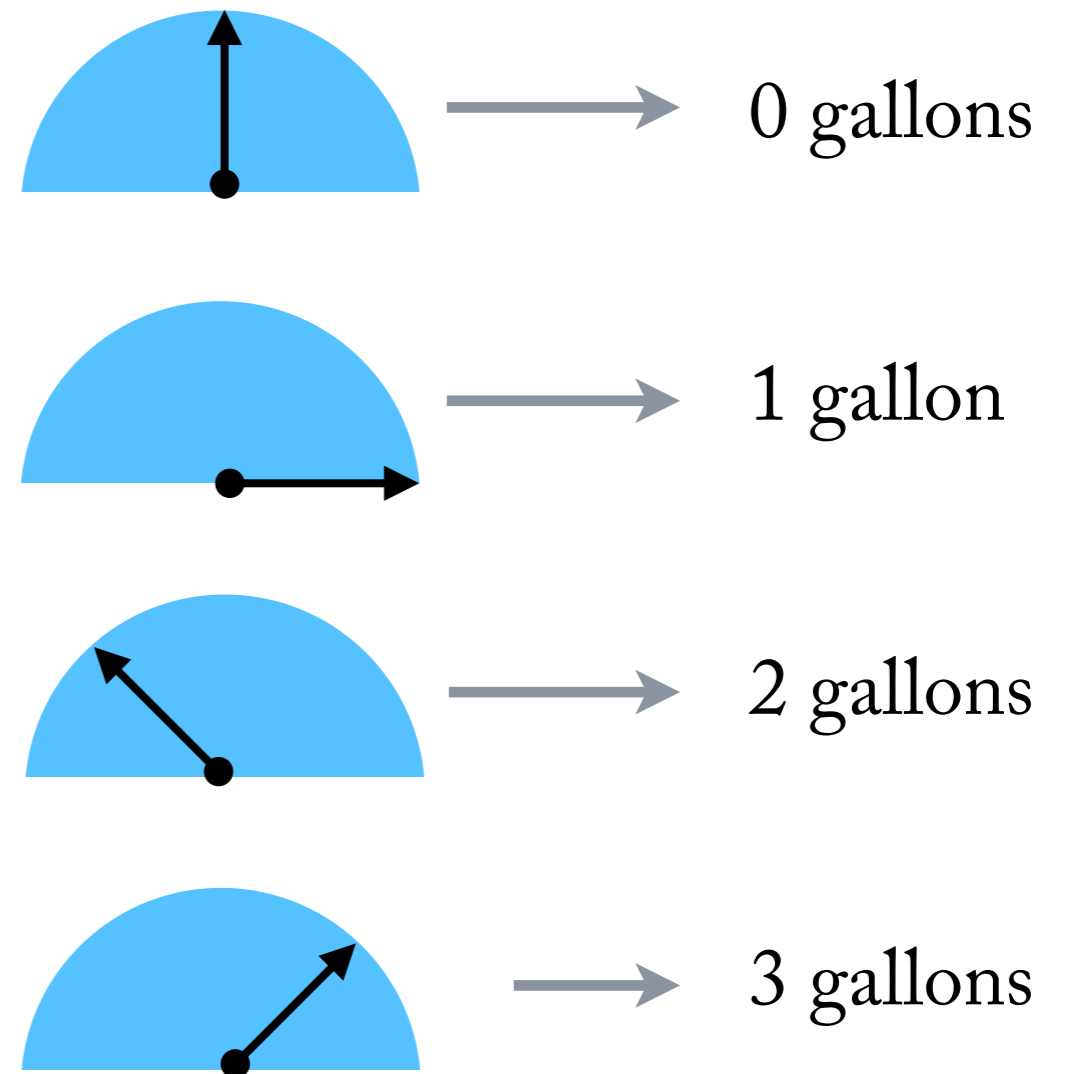


Intuitively, there is something **natural** about System I,  
and something **arbitrary** about System S.

System I

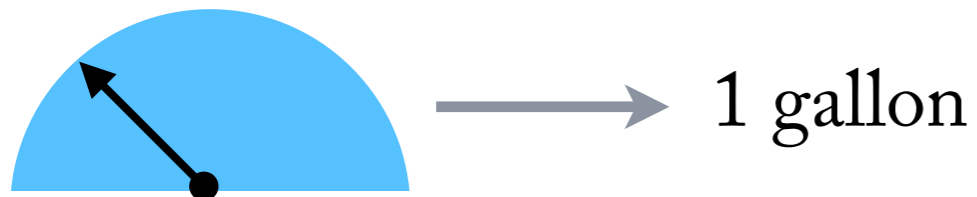


System S



Claim: System I is an exemplar of **iconic** representation and System S is an exemplar of **symbolic** representation.

System I

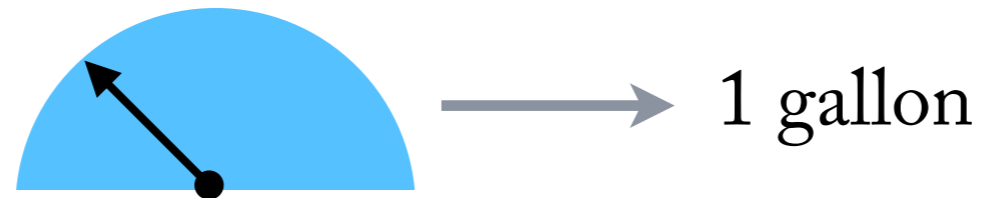


System S



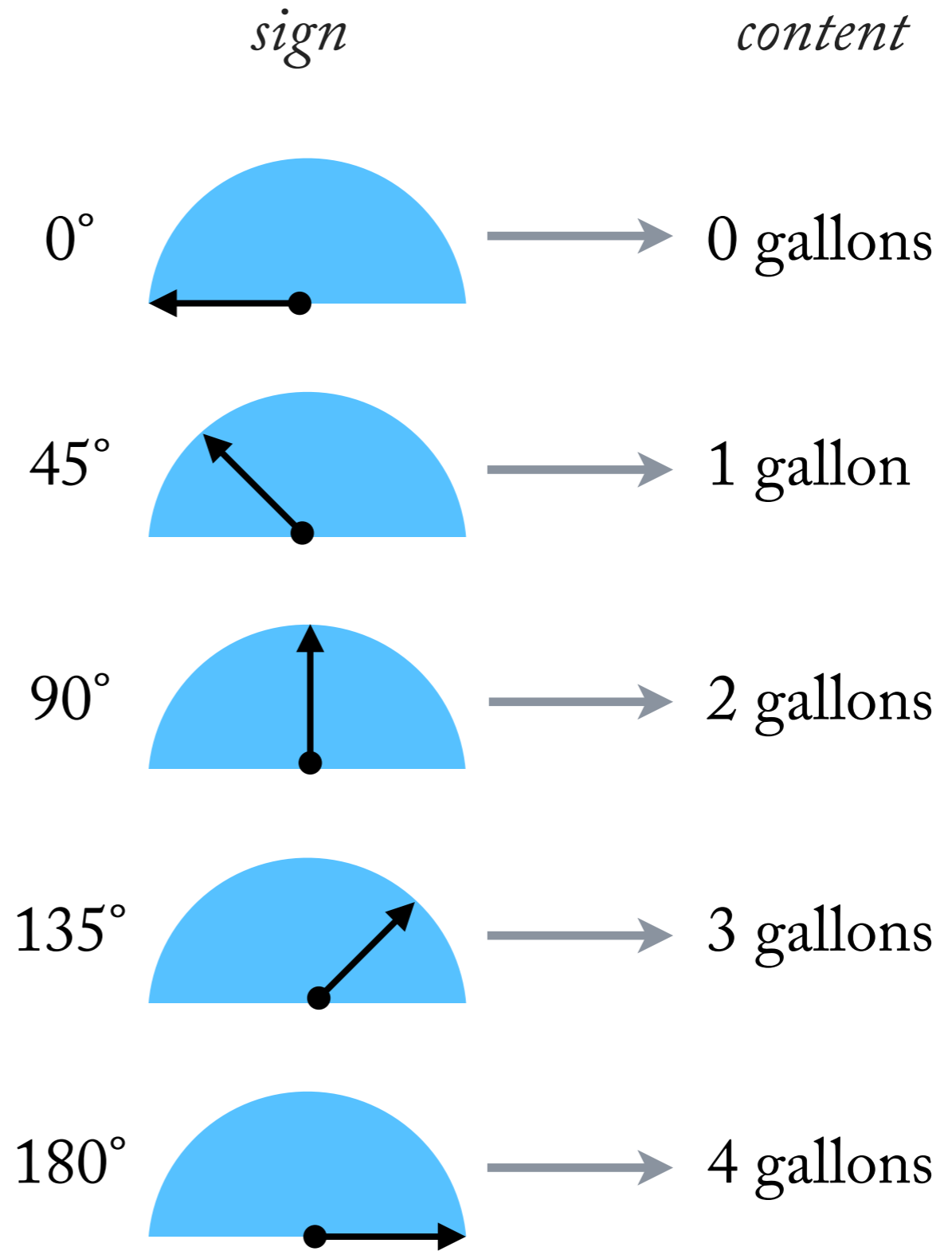
But then the difference between iconic and symbolic can't be...  
... the types of signs involved,  
... or the types of contents expressed.

It has to be in the *way* that signs are connected contents.



# System $S^*$

... decided by  
the roll of a die

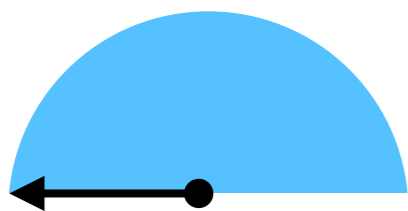


# System I

*sign*

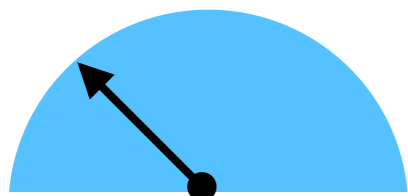
*content*

0°



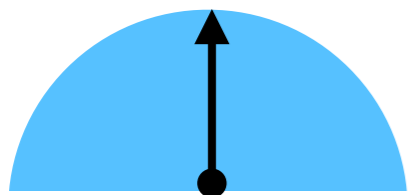
0 gallons

45°



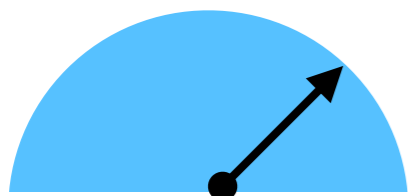
1 gallon

90°



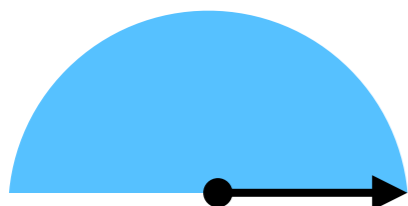
2 gallons

135°



3 gallons

180°



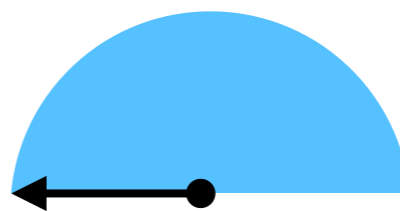
4 gallons

# System S\*

*sign*

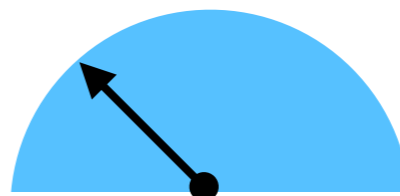
*content*

0°



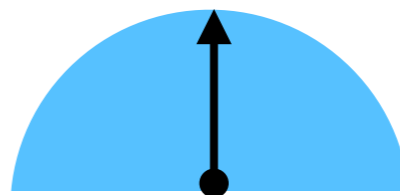
0 gallons

45°



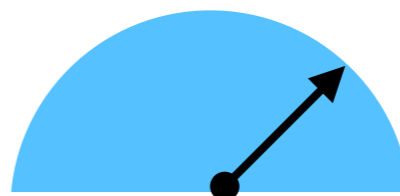
1 gallon

90°



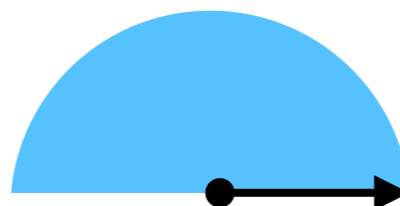
2 gallons

135°



3 gallons

180°



4 gallons

## Semantic Proposal:

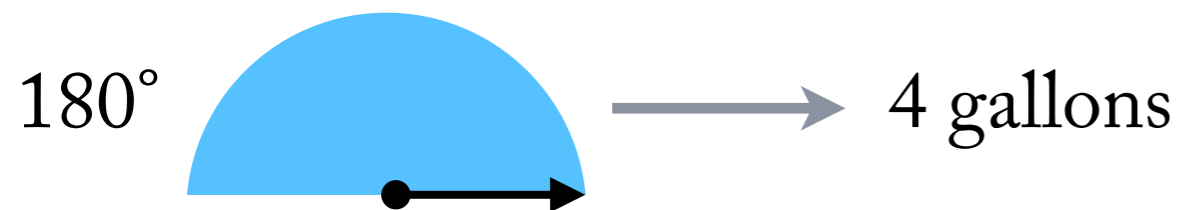
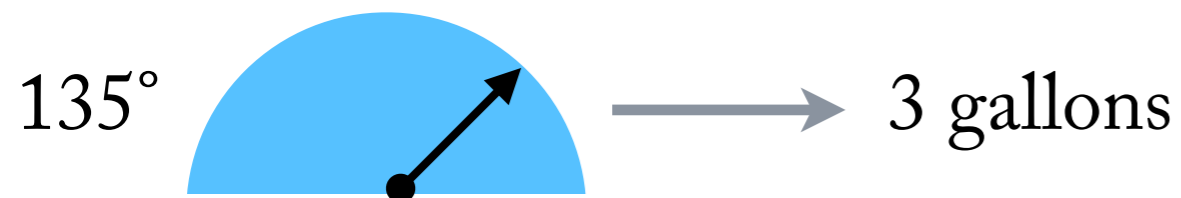
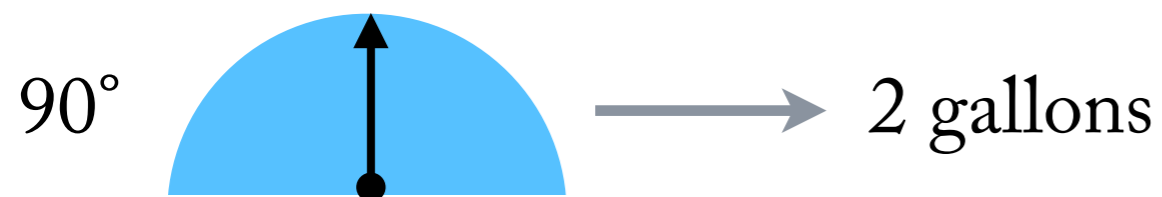
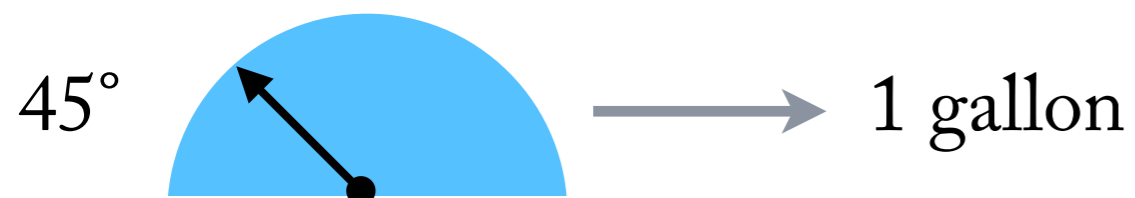
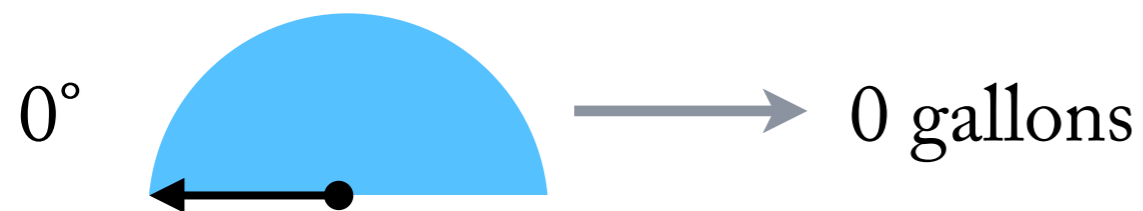
We need to look “under the hood” at the semantic machinery.

The difference between iconic and symbolic representation has to do with the kinds of **semantic rules** that map signs to contents.

# System I

*sign*

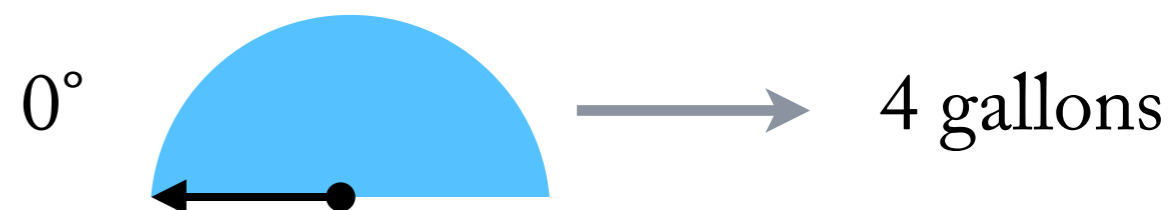
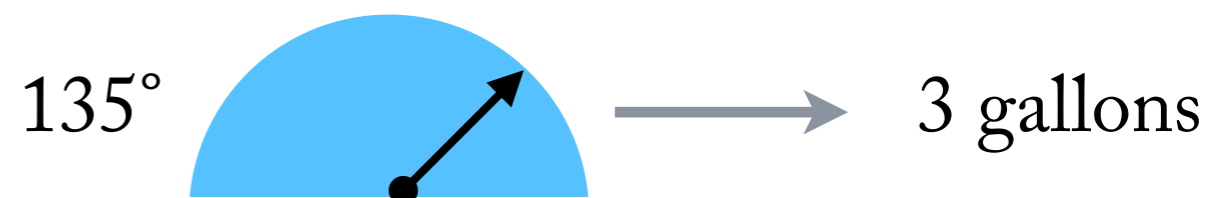
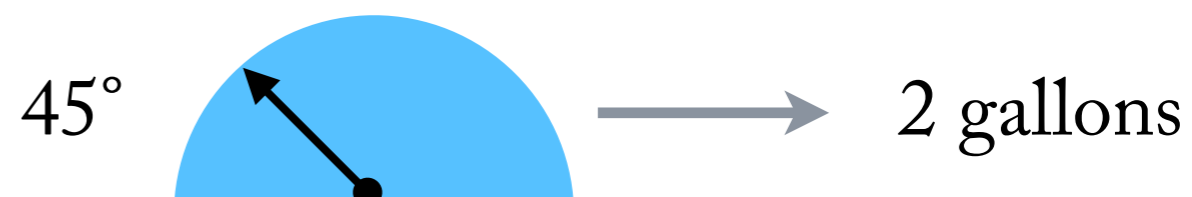
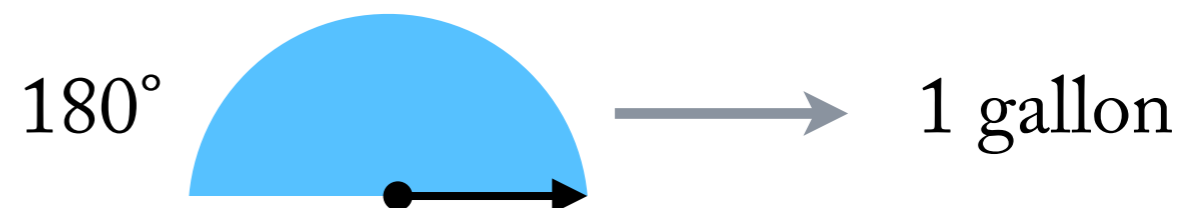
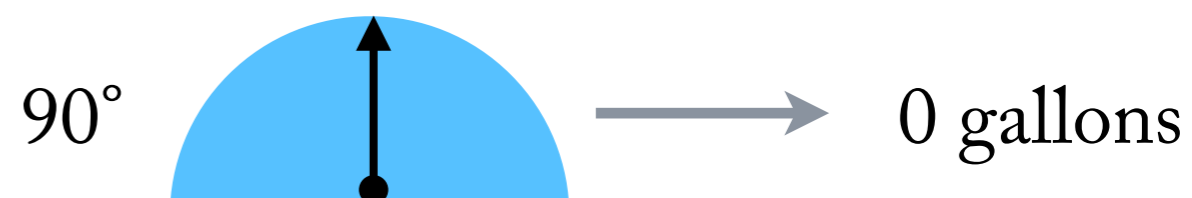
*content*



# System S

*sign*

*content*



## Semantics for System I

For any sign  $s$  in I:

$$\text{Content}(s) = (\text{angle}(s) \times \frac{1}{45}) \text{ gallons of water in the tank}$$

## Semantics for System S

For any sign  $s$  in S:

- if  $\text{angle}(s) = 90$ ,  $\text{Content}(s) = 0$  gallons of water in the tank;
- if  $\text{angle}(s) = 180$ ,  $\text{Content}(s) = 1$  gallon of water in the tank;
- if  $\text{angle}(s) = 45$ ,  $\text{Content}(s) = 2$  gallons of water in the tank;
- if  $\text{angle}(s) = 135$ ,  $\text{Content}(s) = 3$  gallons of water in the tank;
- if  $\text{angle}(s) = 0$ ,  $\text{Content}(s) = 4$  gallons of water in the tank.

## Semantics for System I

For any sign  $s$  in I:

$Content(s) = (angle(s) \times \frac{1}{45})$  gallons of water in the tank

semantic clause

## Semantics for System S

For any sign  $s$  in S:

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selection clause

content clause

## Semantics for System I

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## Observation 1: Conditionality

- System I is **uniform**: there is a single semantic clause for all sign types; it treats all sign types in the same way.
- System S is **itemized**: there is a separate semantic clause for each sign type; it treats each sign type differently.

## Semantics for System I

For any sign  $s$  in I:

$$\text{Content}(s) = (\text{angle}(s) \times \frac{1}{45}) \text{ gallons of water in the tank}$$

## Semantics for System S

For any sign  $s$  in S:

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- if  $\text{angle}(s) = 45$ ,  $\text{Content}(s) = 2$  gallons of water in the tank;
- if  $\text{angle}(s) = 135$ ,  $\text{Content}(s) = 3$  gallons of water in the tank;
- if  $\text{angle}(s) = 0$ ,  $\text{Content}(s) = 4$  gallons of water in the tank.

## Iconic rules

- Uniform

## Symbolic rules

- Itemized

## Observation 1: Conditionality

- System I is **uniform**: there is a single semantic clause for all sign types; it treats all sign types in the same way.
- System S is **itemized**: there is a separate semantic clause for each sign type; it treats each sign type differently.

## Semantics for System I

For any sign  $s$  in I:

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## Semantics for System S

For any sign  $s$  in S:

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## Iconic rules

- Uniform

## Symbolic rules

- Itemized

## Observation 2: form-dependence

- **System I** is **form-dependent**: the form of the sign plays an essential role in the content clause.
- **System S** is **form-independent**: properties of the sign do not appear in the content clause.

## Semantics for System I

For any sign  $s$  in I:

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## Semantics for System S

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- if  $\text{angle}(s) = 0$ ,  $\text{Content}(s) = 4$  gallons of water in the tank.

## Iconic rules

- Uniform
- Form-dependent

## Symbolic rules

- Itemized
- Form-independent

## Observation 2: form-dependence

- **System I** is **form-dependent**: the form of the sign plays an essential role in the content clause.
- **System S** is **form-independent**: properties of the sign do not appear in the content clause.

## Semantics for System I

For any sign  $s$  in I:

$$\text{Content}(s) = (\text{angle}(s) \times \frac{1}{45}) \text{ gallons of water in the tank}$$

## Semantics for System S

For any sign  $s$  in S:

- if  $\text{angle}(s) = 90$ ,  $\text{Content}(s) = 0$  gallons of water in the tank;
- if  $\text{angle}(s) = 180$ ,  $\text{Content}(s) = 1$  gallon of water in the tank;
- if  $\text{angle}(s) = 45$ ,  $\text{Content}(s) = 2$  gallons of water in the tank;
- if  $\text{angle}(s) = 135$ ,  $\text{Content}(s) = 3$  gallons of water in the tank;
- if  $\text{angle}(s) = 0$ ,  $\text{Content}(s) = 4$  gallons of water in the tank.

## Iconic rules

- Uniform
- Form-dependent

## Symbolic rules

- Itemized
- Form-independent

## Observation 3: natural dependency

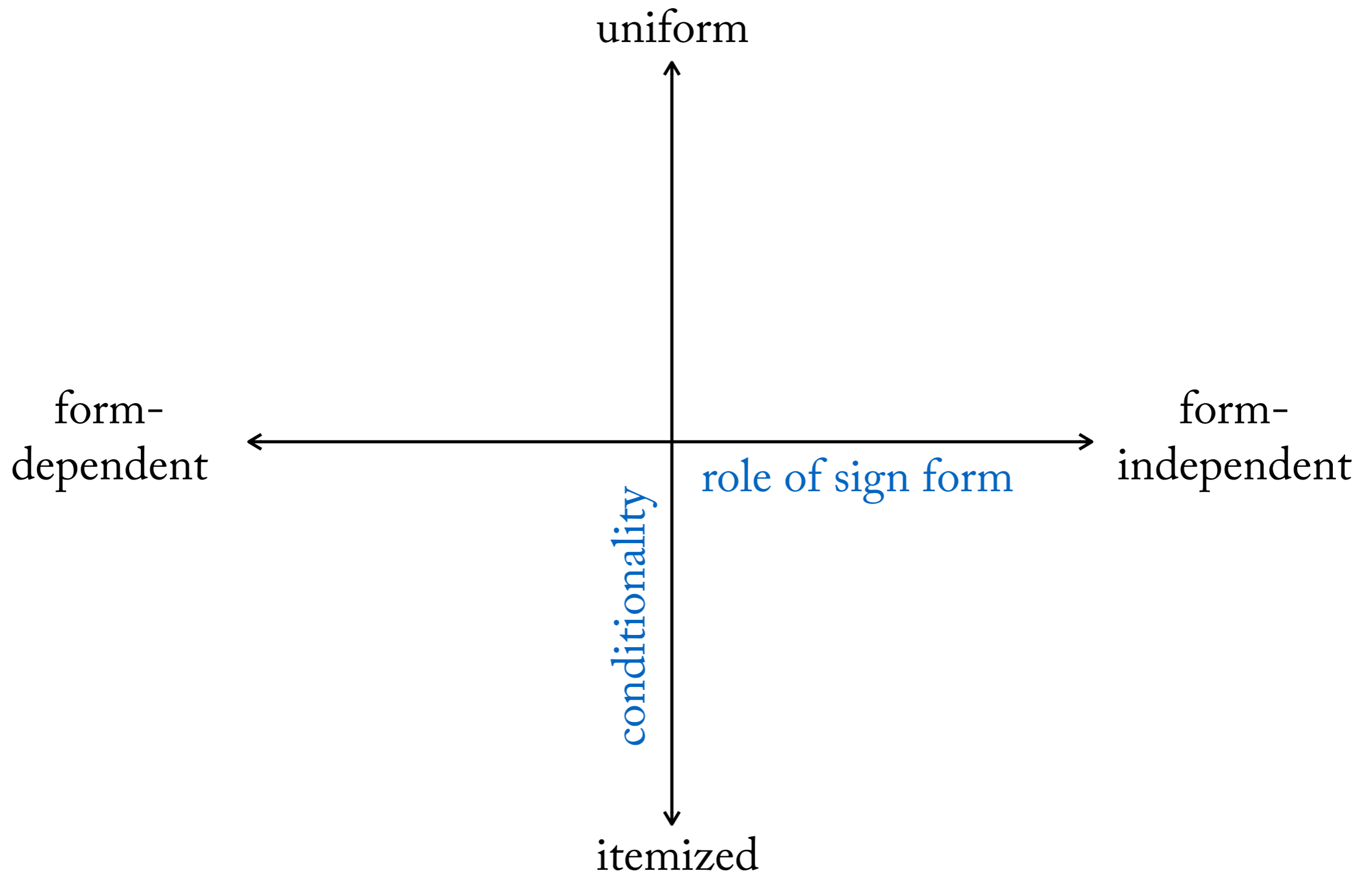
- **System I** implies a relationship of **natural dependency** between the form of a sign and its content.
- **System S** merely **juxtapose** signs with contents, with no mediating dependency.

**Iconic rules** are (i) uniform and (ii) form-dependent.

- (i) **Uniform:** all sign-types are interpreted in the same way.
- (ii) **Form-dependent:** the content of the sign bears a natural dependency to the form of the sign.

**Symbolic rules** are (i) itemized and (ii) form-independent.

- (i) **Itemized:** each sign-types is interpreted in a different way.
- (ii) **Form-independent:** the content of the sign does not depend on the form of the sign.



**iconic  
rules**

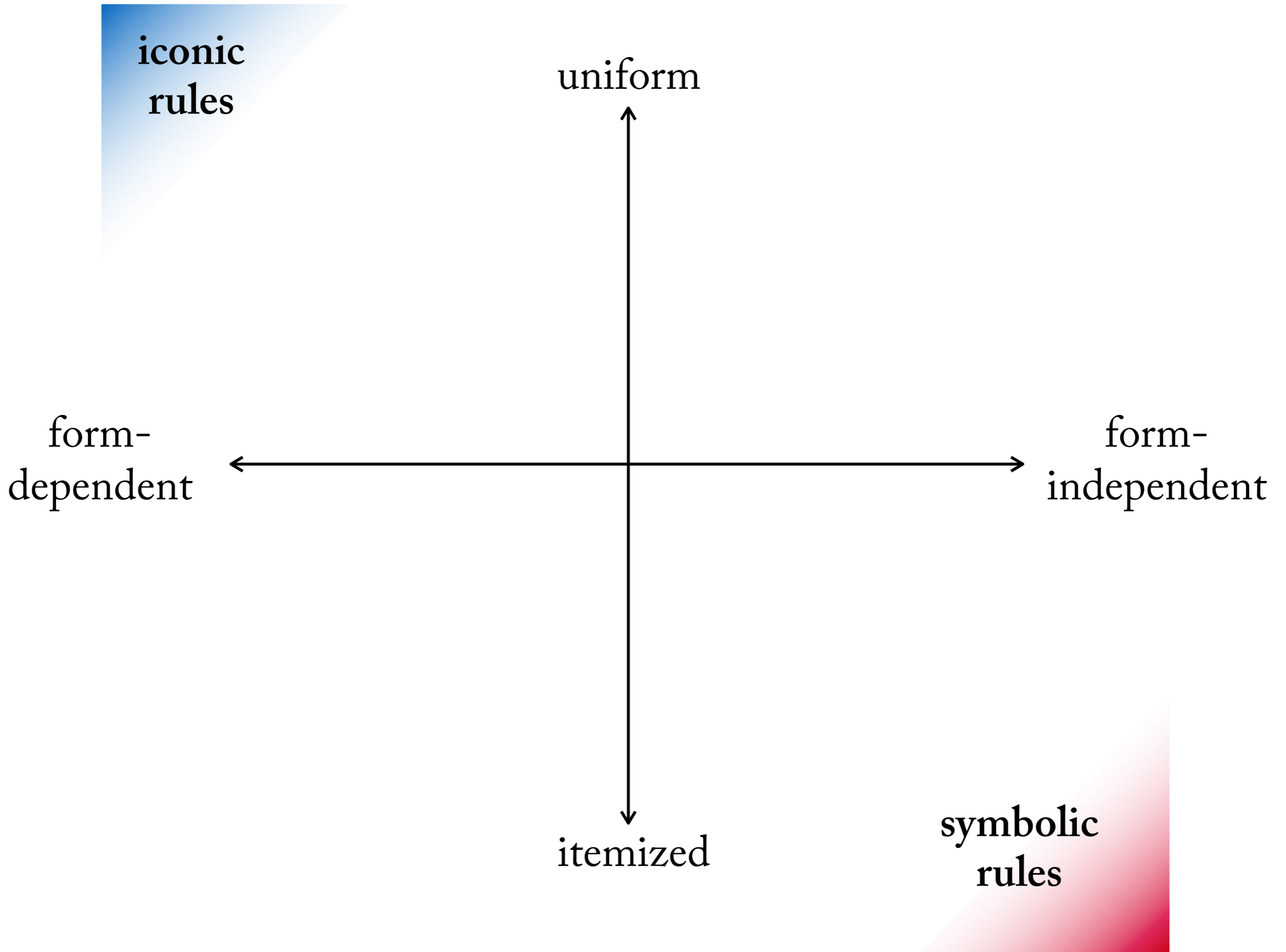
uniform

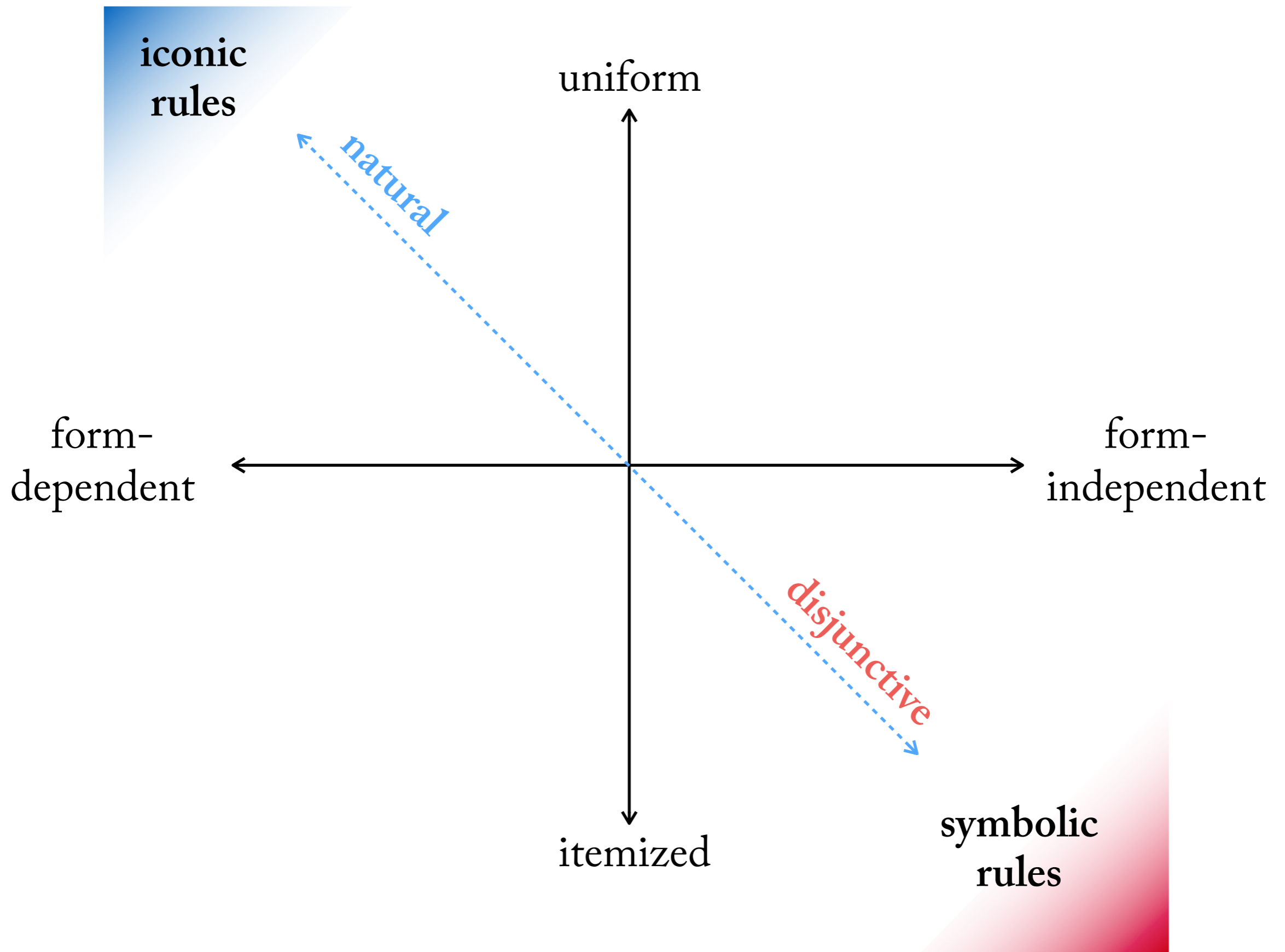
form-  
dependent

form-  
independent

itemized

**symbolic  
rules**





# Mental representation

# Iconicity and symbolism in the mind

- If iconic and symbolic representation are distinguished by **semantic rules**, how is iconic and symbolic **mental** representation possible?
- There is **no homunculus** or privileged observer to interpret mental representation or encode their semantics.
- **Proposal:**
  - Semantic rules for representations in the brain are grounded in **functions to carry information**.
  - **Iconic and symbolic functions** are two different ways of functioning to carry information.
- **Plan:** Identify mental counterparts of I, S, and S\*

## Informational teleosemantics

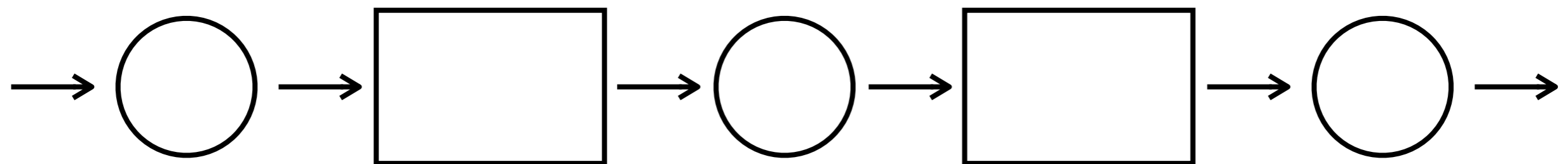
- **Informational teleosemantics:** content is grounded in functions to carry information.
- **Progenitors:** Millikan, Papineau, Shea, Neander, Godfrey-Smith, et al.
- **For now:** a working framework for informational teleosemantics.
  - **Naturalistic ambitions:** grounding, not reducing.
  - **Semantics:** building a bridge between semantics and teleosemantics.
  - **Domain:** first-order representations in perception and lower cognition. For now...

## Informational teleosemantics, a framework

- **Functions**, roughly: the **function** of a system  $S$  is the **effect** that  $S$  was **selected** for.
- **Information**, roughly: an internal state **carries information** about an external state by standing in a relationship of **counterfactual covariation** to it.
- **Informational functions: representational systems** function to produce internal state types that counterfactually covary with environmental state types.

# Representation and computation

- **Representational systems** function to token internal states that covary with external states.
- **Computational systems** function to compute mappings by transforming input states into output states.
- Cognitive processes can be idealized as **computational graphs**, made up alternating activations of representational and computational systems.



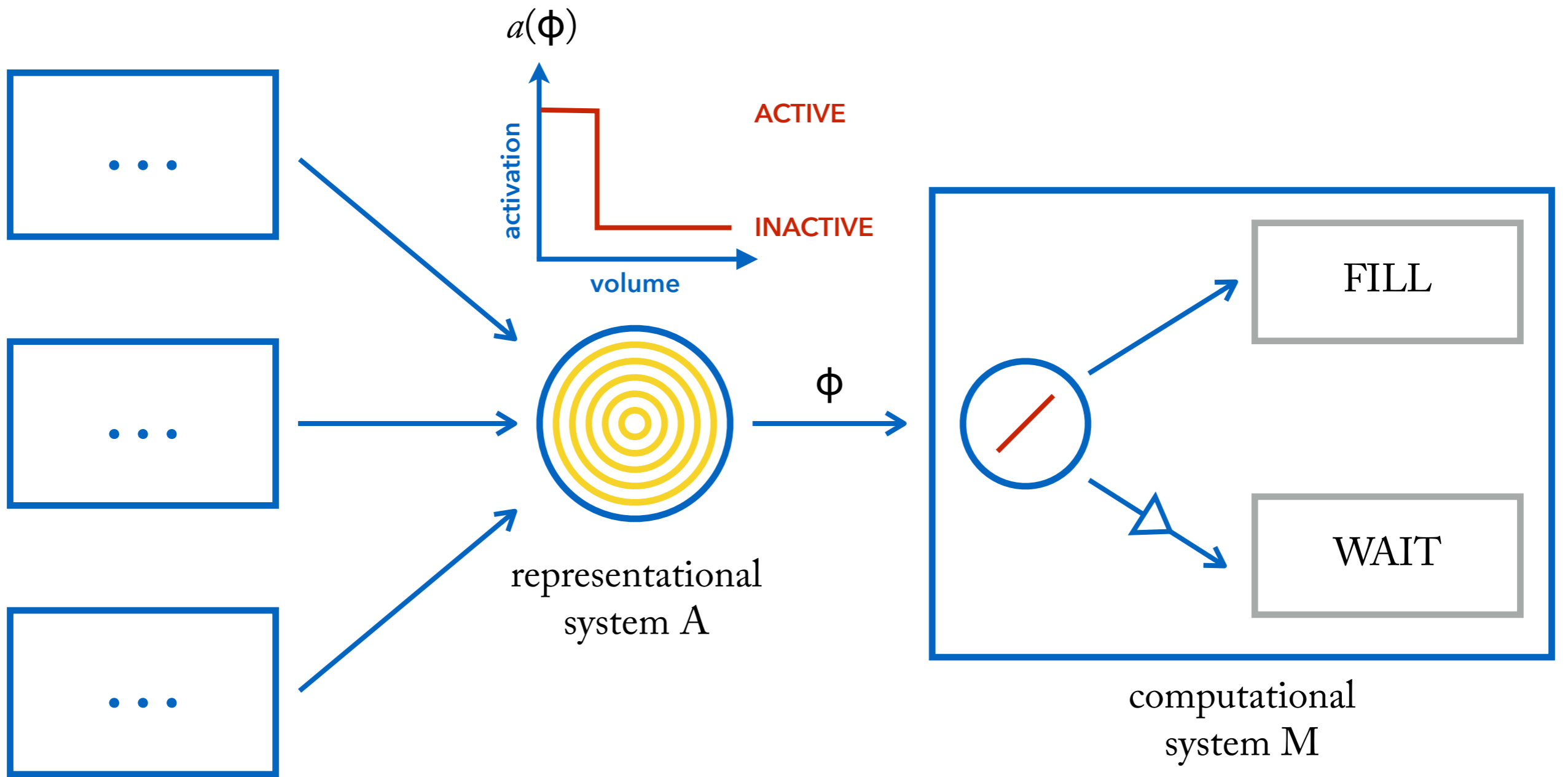
representational  
system

computational graph

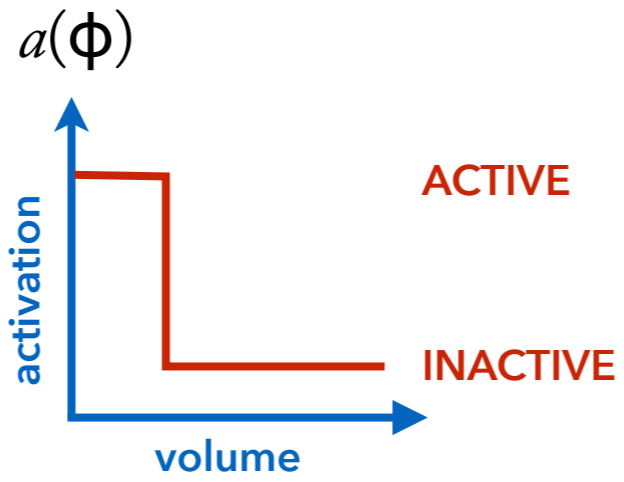
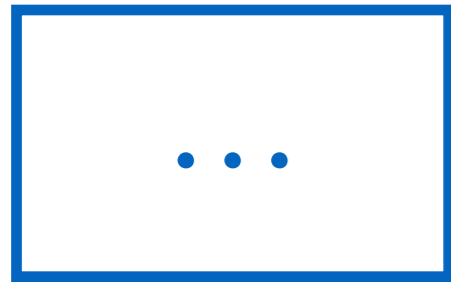
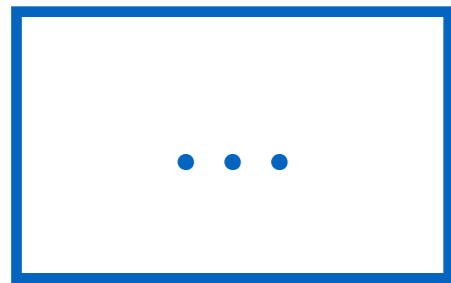
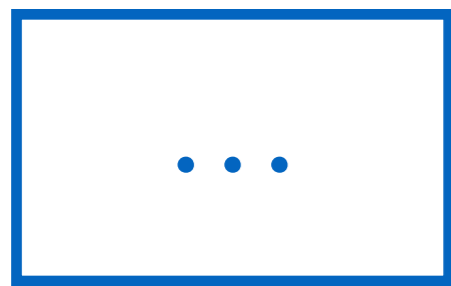
## Case study: System A

- **Organism O** must refill a **fluid reserve U** when it is empty in order to survive and reproduce.
- **Representational system A** enters into two states: **active** and **inactive**.
- **Computational system M** takes inputs from A (active, inactive) and outputs motor actions: **fill, wait**.

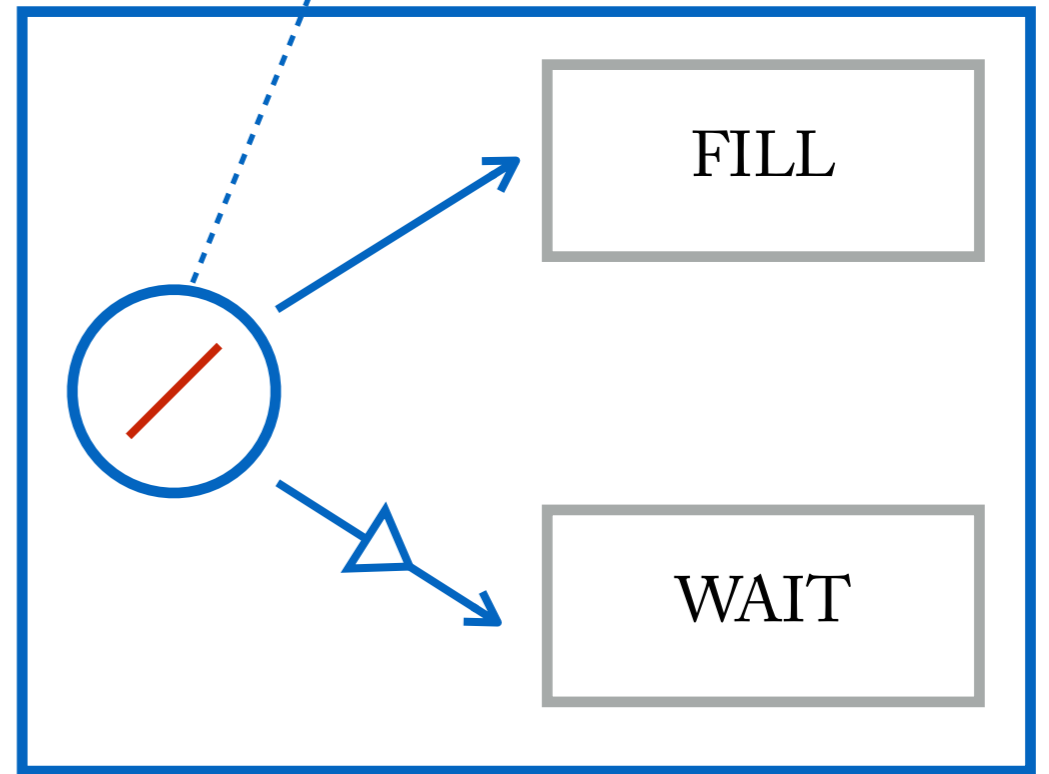
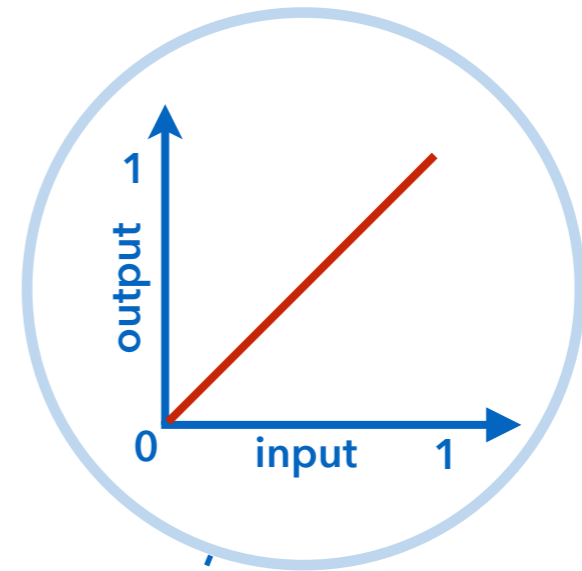
# System A



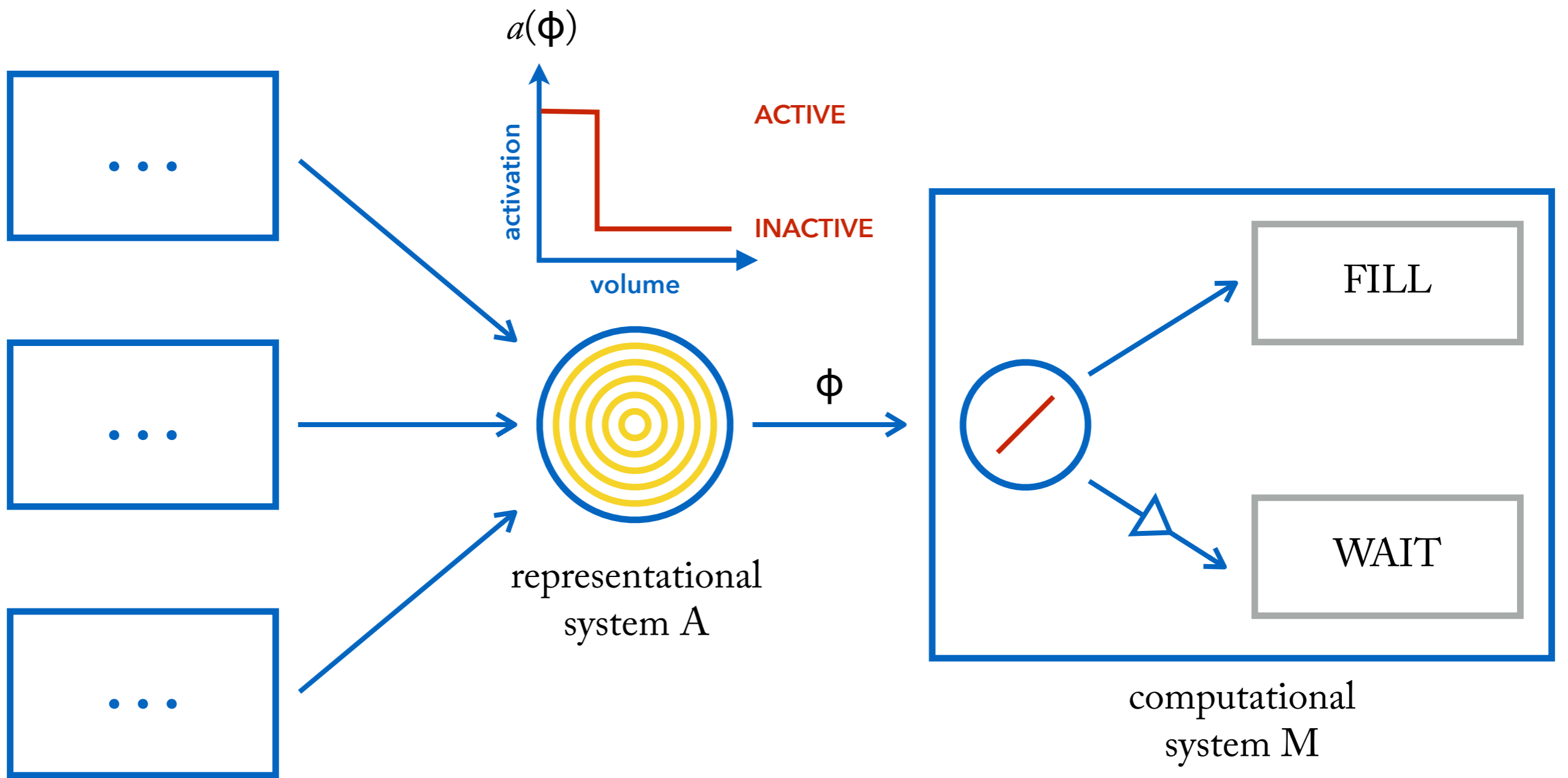
# System A



representational system A



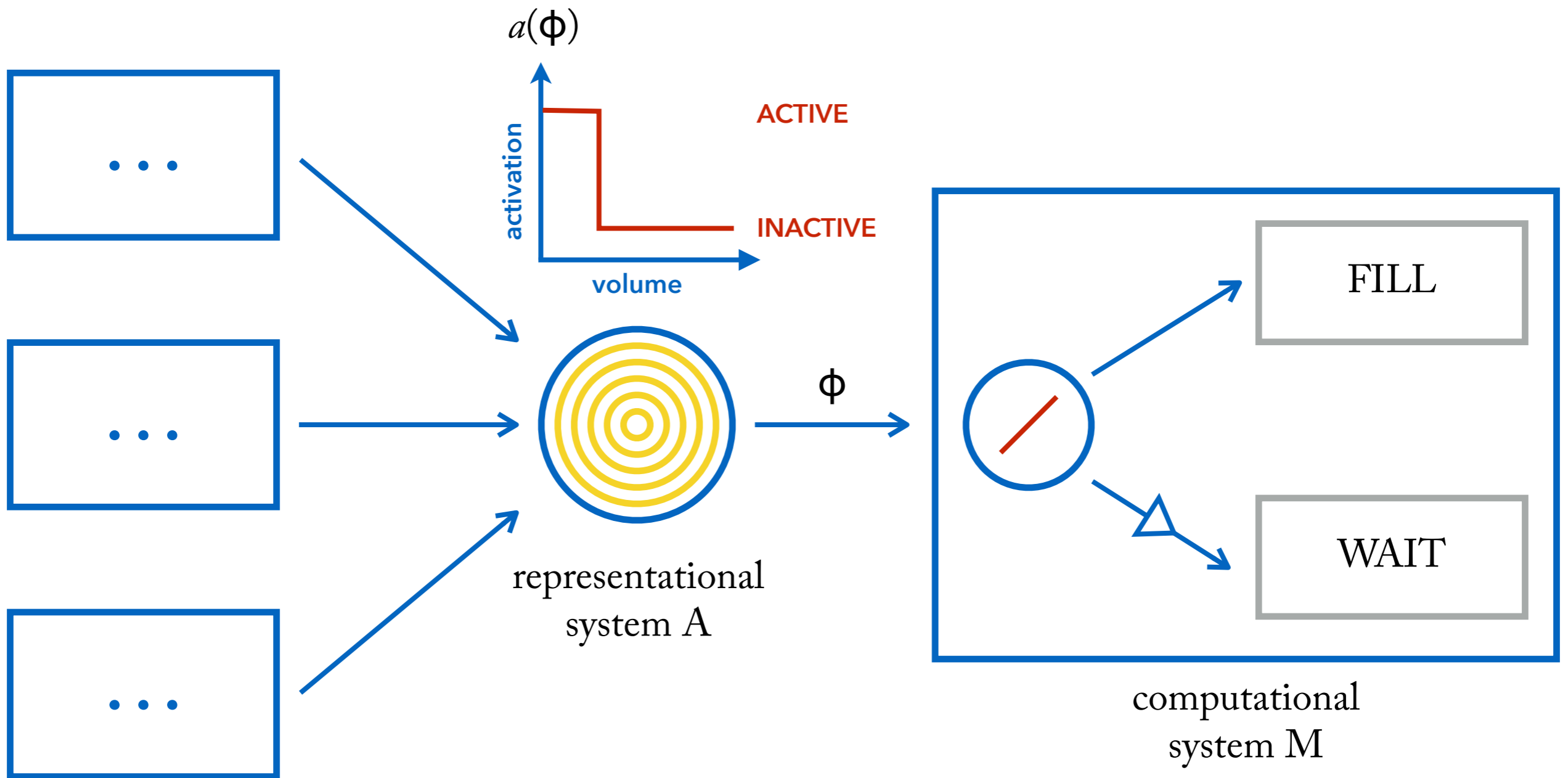
computational system M



The function of A is satisfied only if  
if A produces  $\phi$ :

if  $a(\phi) = 1$ , then *Empty*( $t$ );

if  $a(\phi) = 0$ , then *Not-empty*( $t$ ).



## Information as weak covariation

- A system functions to carry information about a target situation.
- A **target**  $t$  typically determines a world, time, viewpoint, or object.
- S functions to **carry information** about target  $t \approx$ 
  - S functions to produce internal states  $i$  that **covary** with external states  $e$  of  $t$ .
- **Covariation** is counterfactually supported (reliable) co-occurrence of state types.
  - **Strong:**  $i$  occurs if and only if  $e$  occurs.
  - **Weak (indication):**  $i$  occurs only if  $e$  occurs.
- I'll use “covariation” to mean **weak covariation** ( $\approx$  Dretske's “indication”).

## From informational functions to content

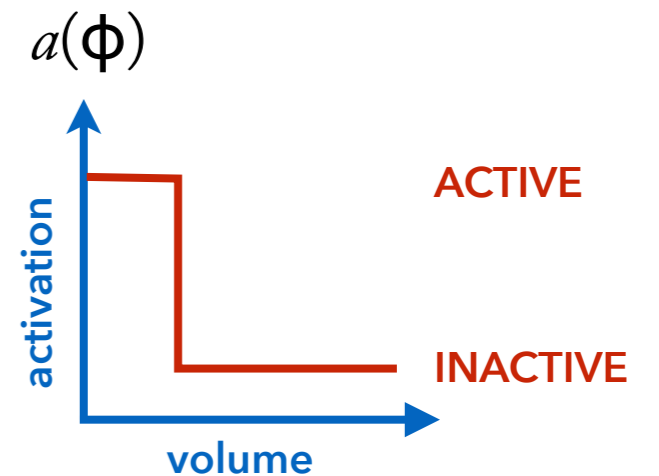
- **The content of a representation** is the set of conditions that tokens of the representation must covary with in order for its system to function properly.
- **Content** as an abstraction over the functional information carried by individual representations.
- **Abstraction principle:**

$$\text{Content}_S(\phi) = \beta \quad \Leftarrow \quad \begin{array}{l} \text{the function of } S \text{ is satisfied only if} \\ S \text{ tokening } \phi \text{ covaries with } \beta \text{ (target}_c\text{)} \end{array}$$

- **Derived functions:** the abstraction principle doesn't look at what a system functions *to do* (direct function), but what *must be the case* when a system is functioning properly (derived function).

## System A's informational function

- The function of system A is satisfied in context  $c$  only if
  - for any state  $\phi$  produced by A in  $c$ :
    - if  $activation(\phi) = 1$ , then  $Empty(t_c)$ ;
    - if  $activation(\phi) = 0$ , then  $Not-empty(t_c)$ .



## Content in System A

- $Content(1) = Empty( )$ ;
- $Content(0) = Not-empty( )$ .



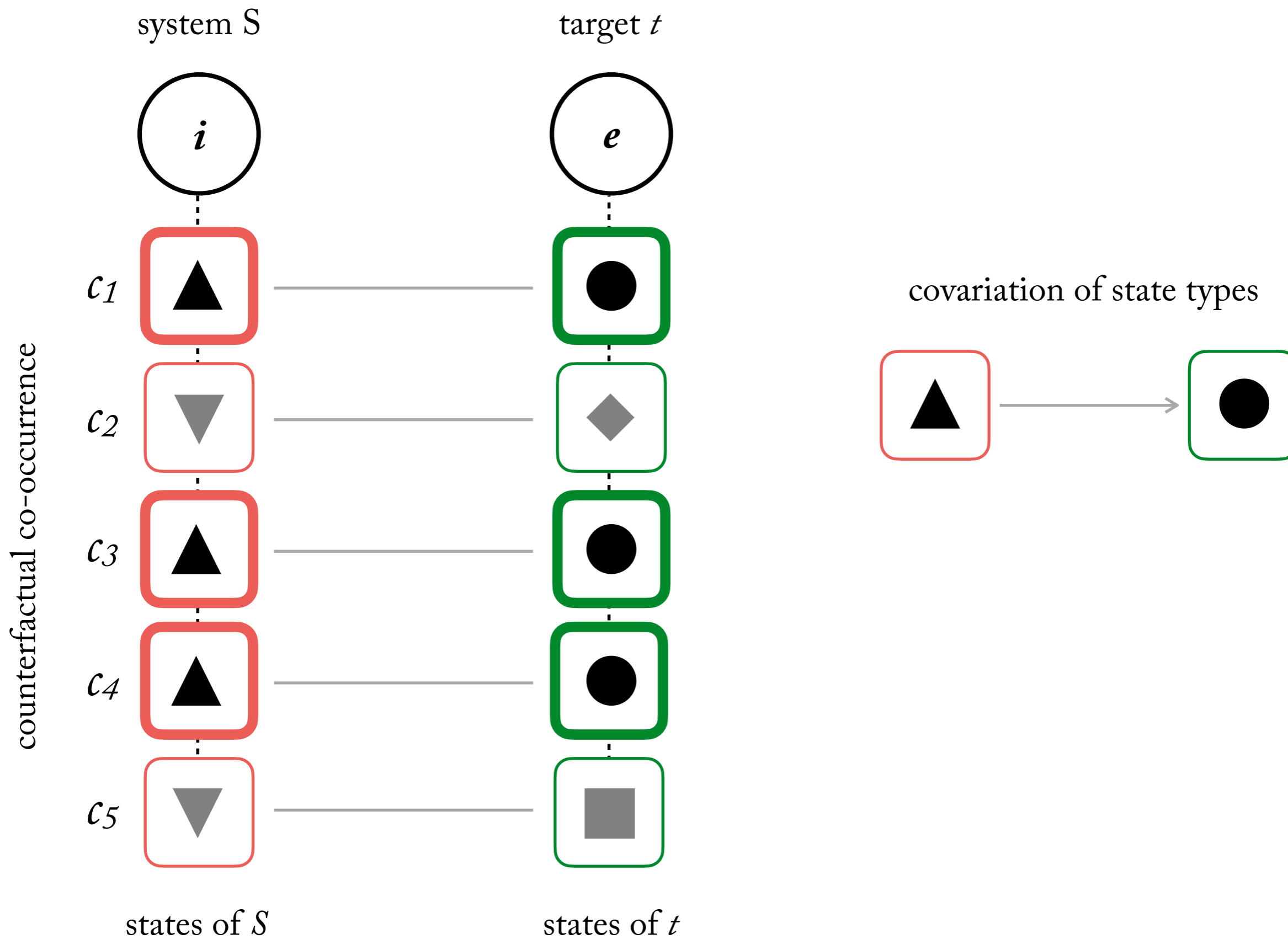
representational  
system A

# Iconic and symbolic functions

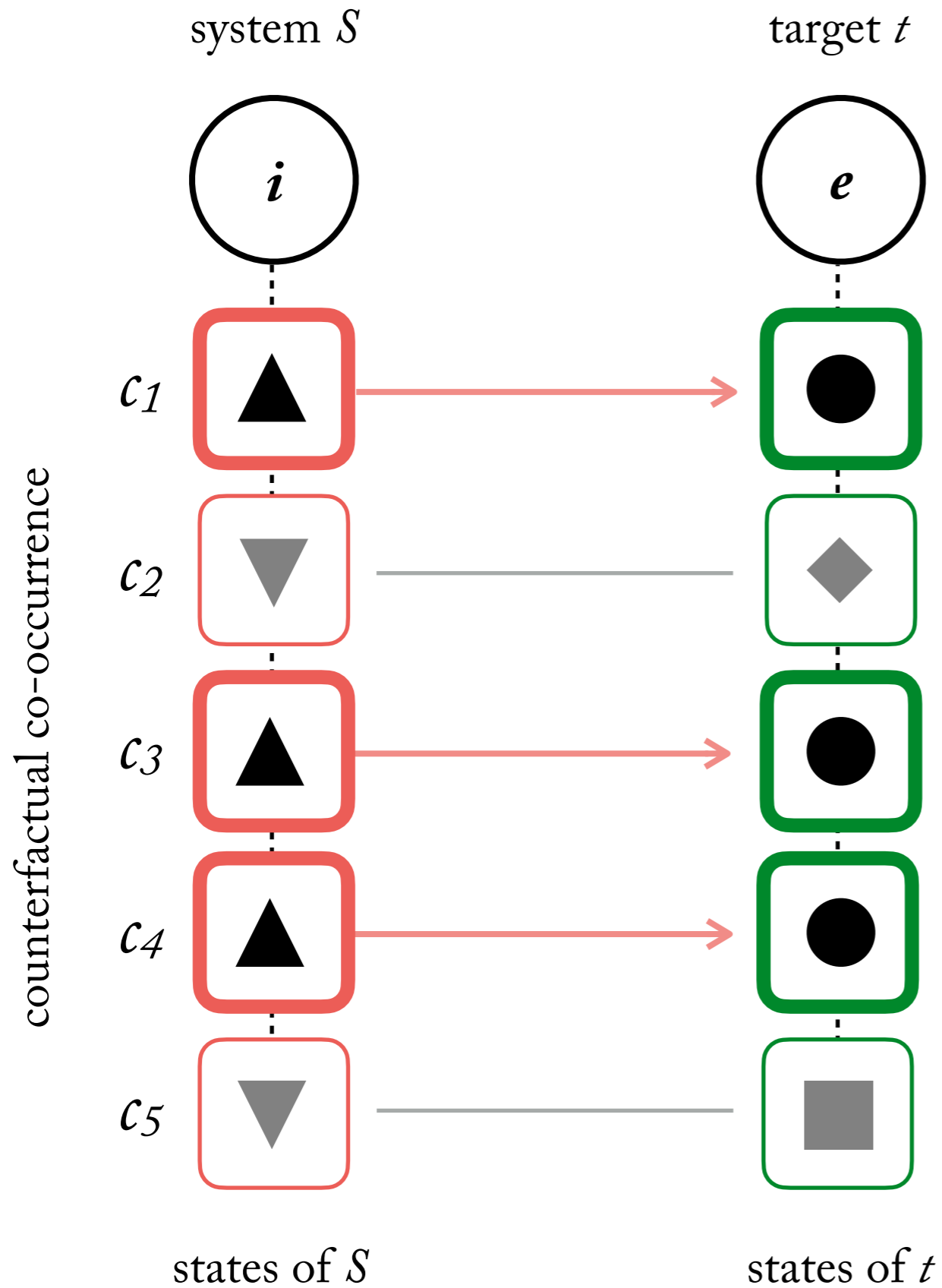
# Iconic and symbolic functions

- Iconic and symbolic functions mark **two ways** a system can function to carry information about the environment.
- **Symbolic functions** are functions to token representations in covariation with states of the target.
- **Iconic functions** are functions to token representations whose form bears a natural dependence on states of the target.
  - Both entail functional covariation between representation types and external state types, so both give rise to content.
- **Compare:** Shea (2018) on functions for *correlation vs. structural correspondence*; Neander (2017) on *causally driven analogs*; Burge (2021, 305) on *iconic information registration*.

# Symbolic informational function



# Symbolic informational function



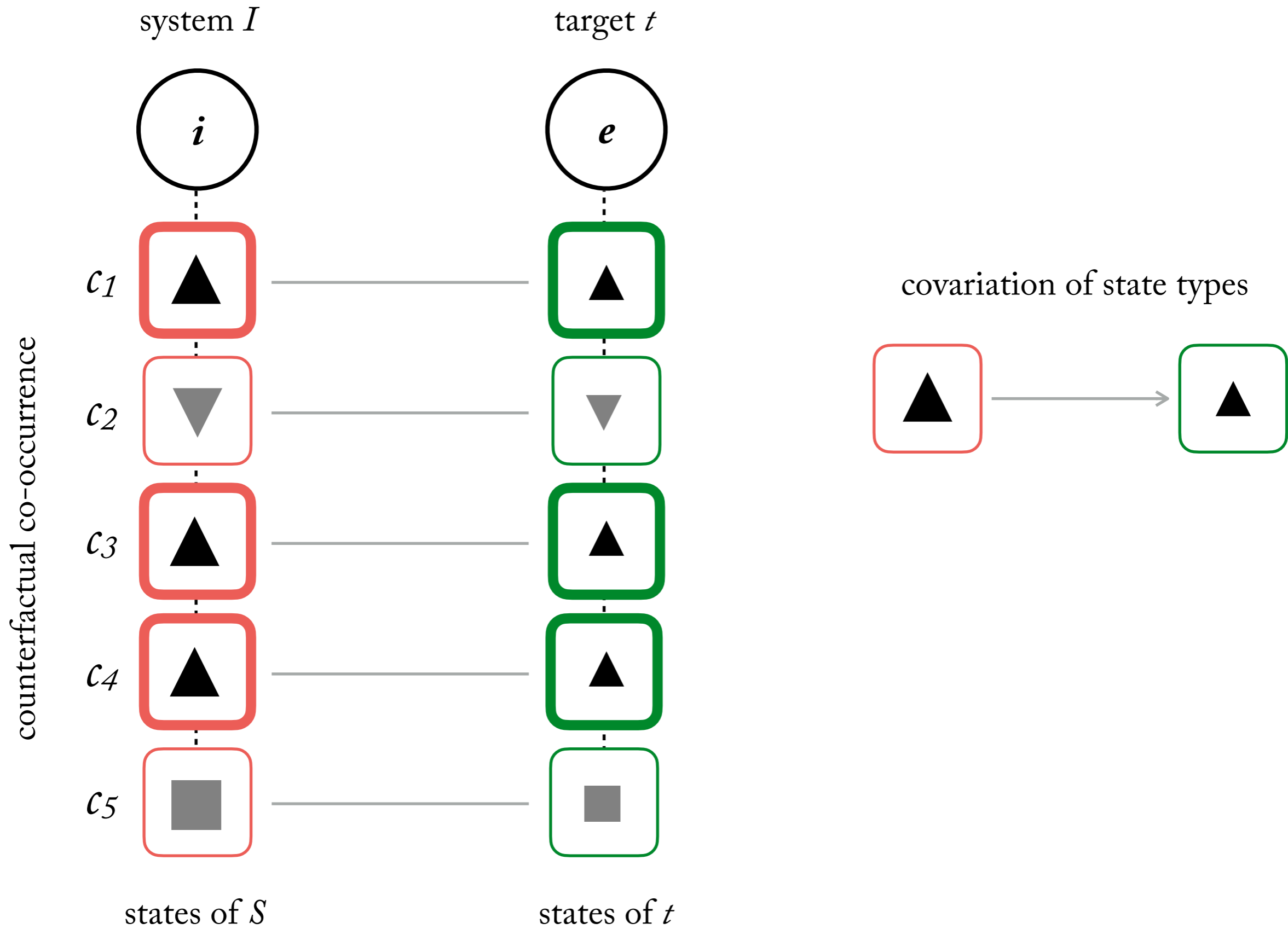
functional covariation of state types



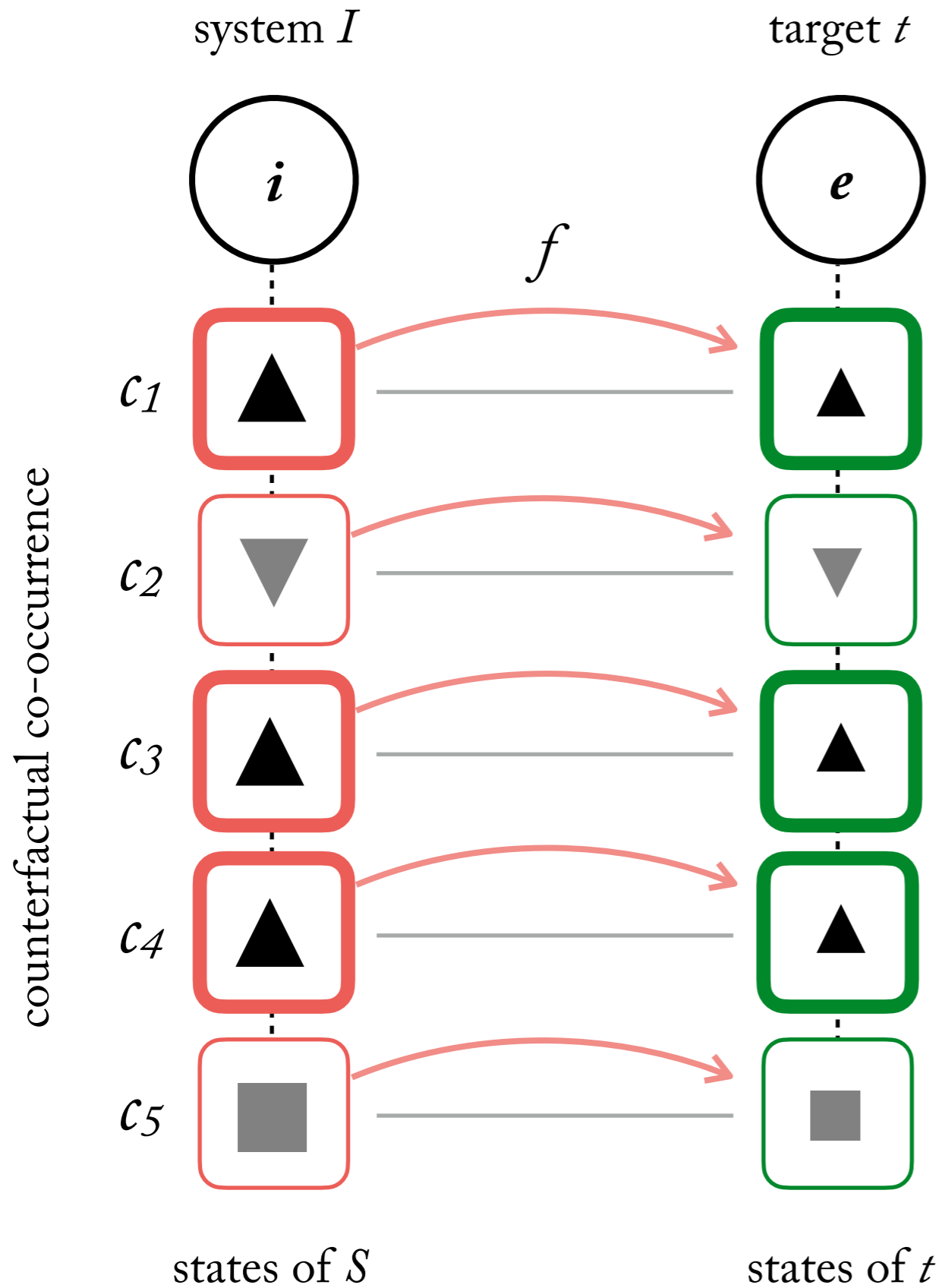
determination of content

$$\text{Content} (\blacktriangle) = \bullet$$

# Iconic informational function



# Iconic informational function



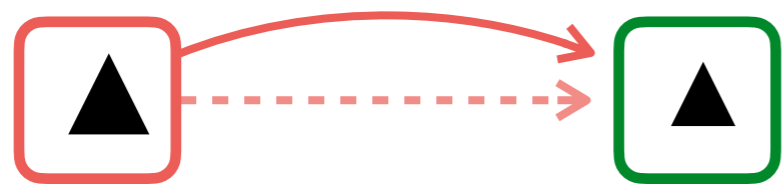
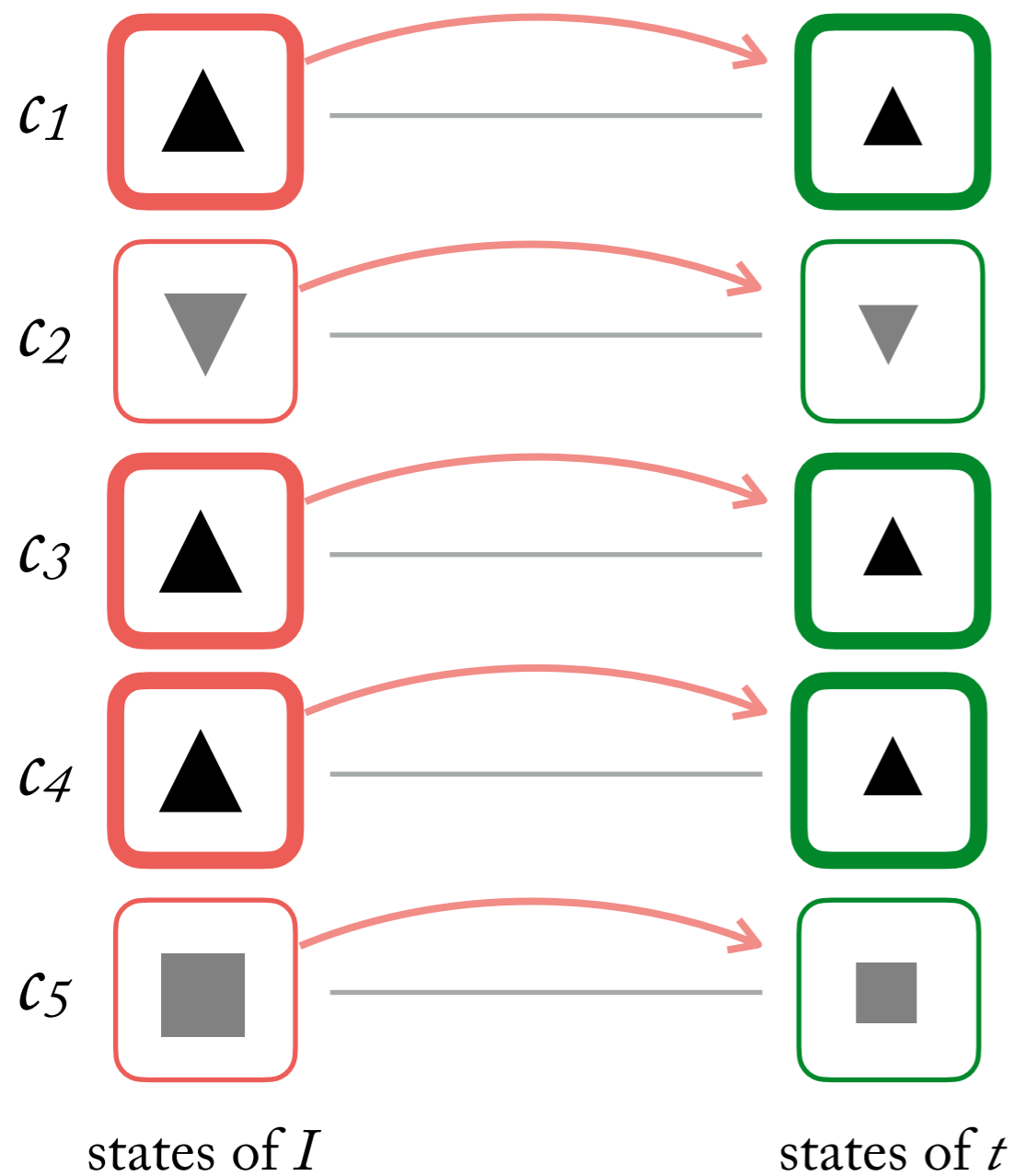
functional  
covariation of state types



determination of content

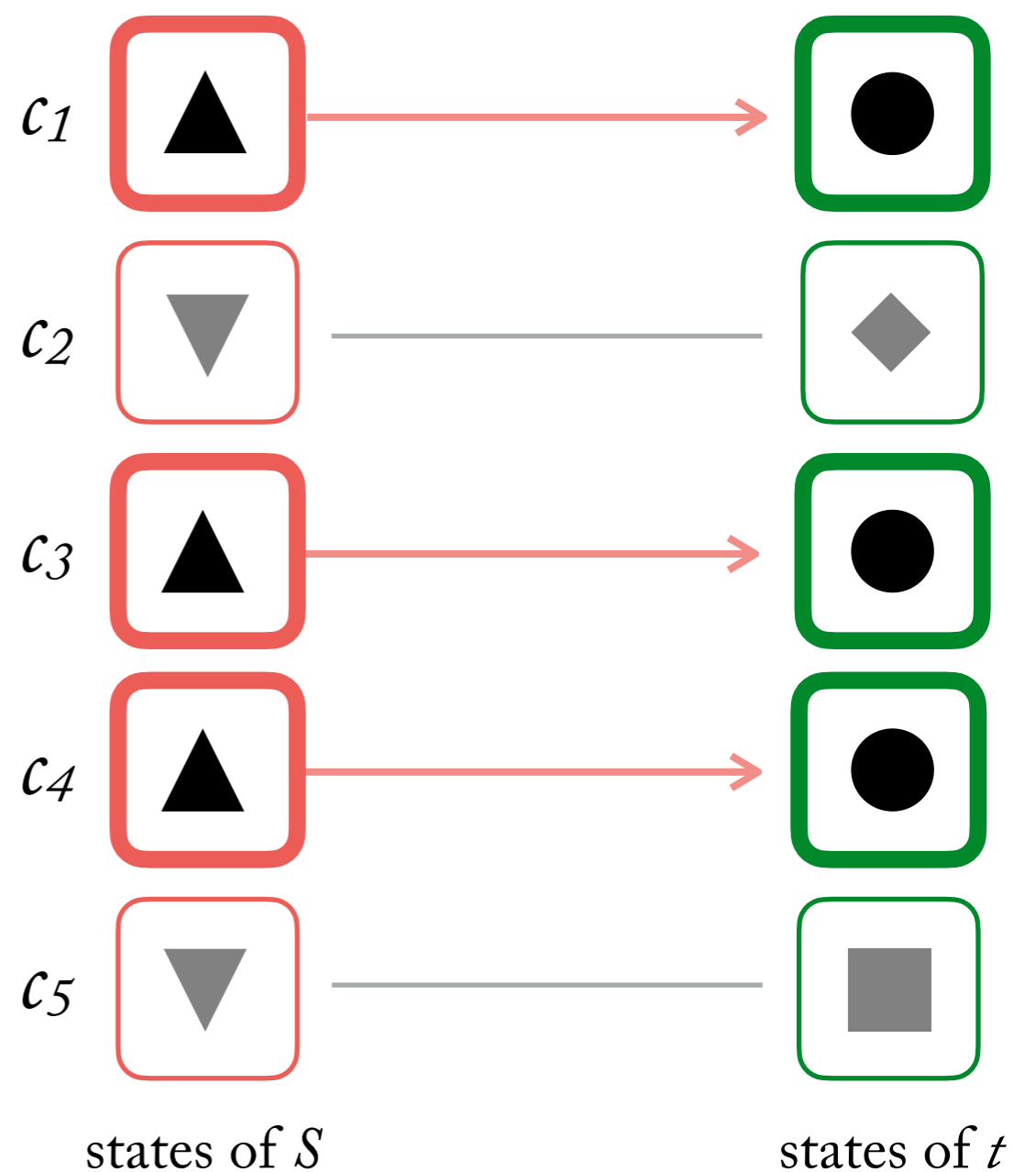
$$\text{Content} (\blacktriangle) = \blacktriangle$$

# Iconic informational function



Content (▲) = ▲

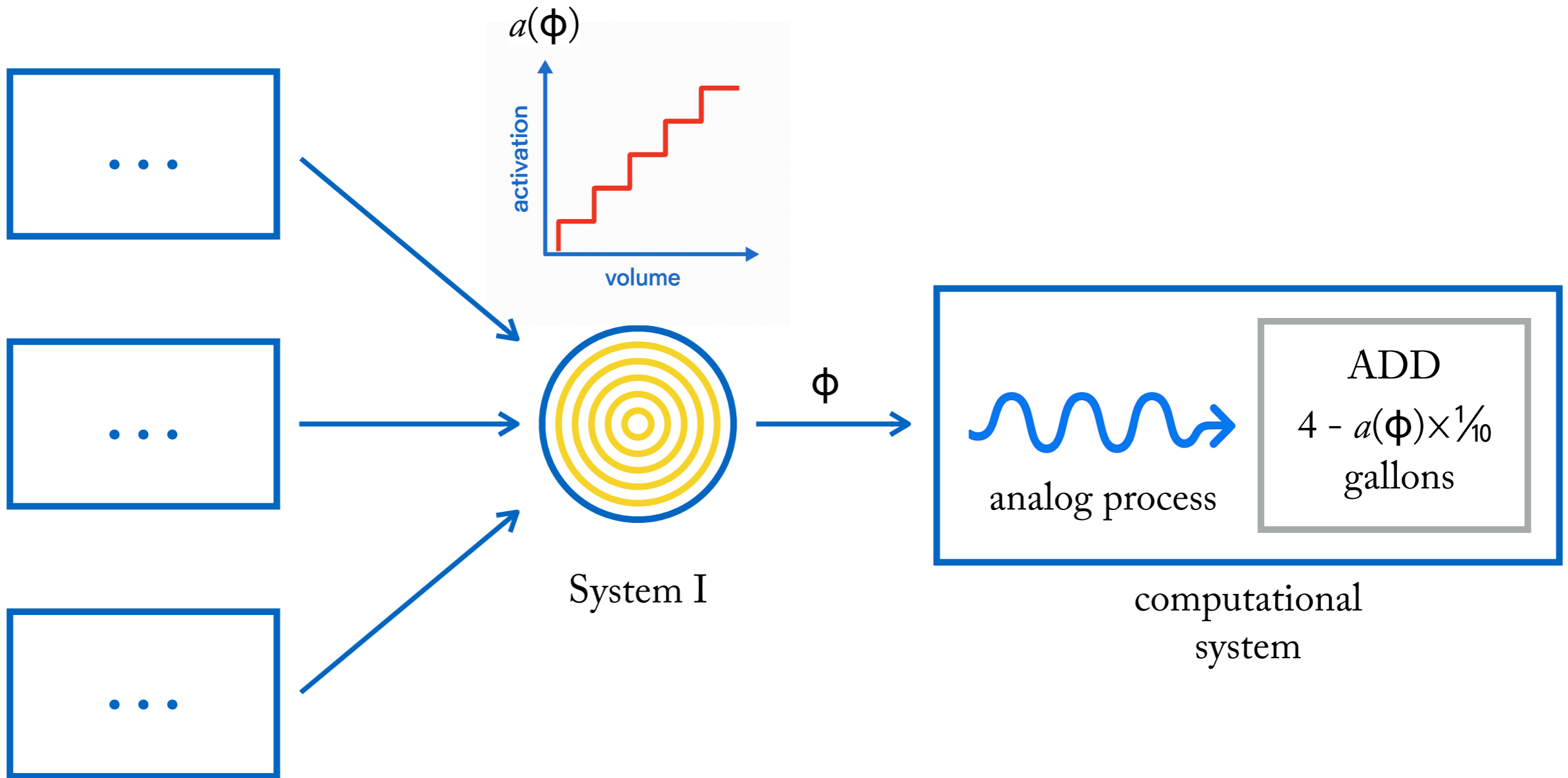
# Symbolic informational function

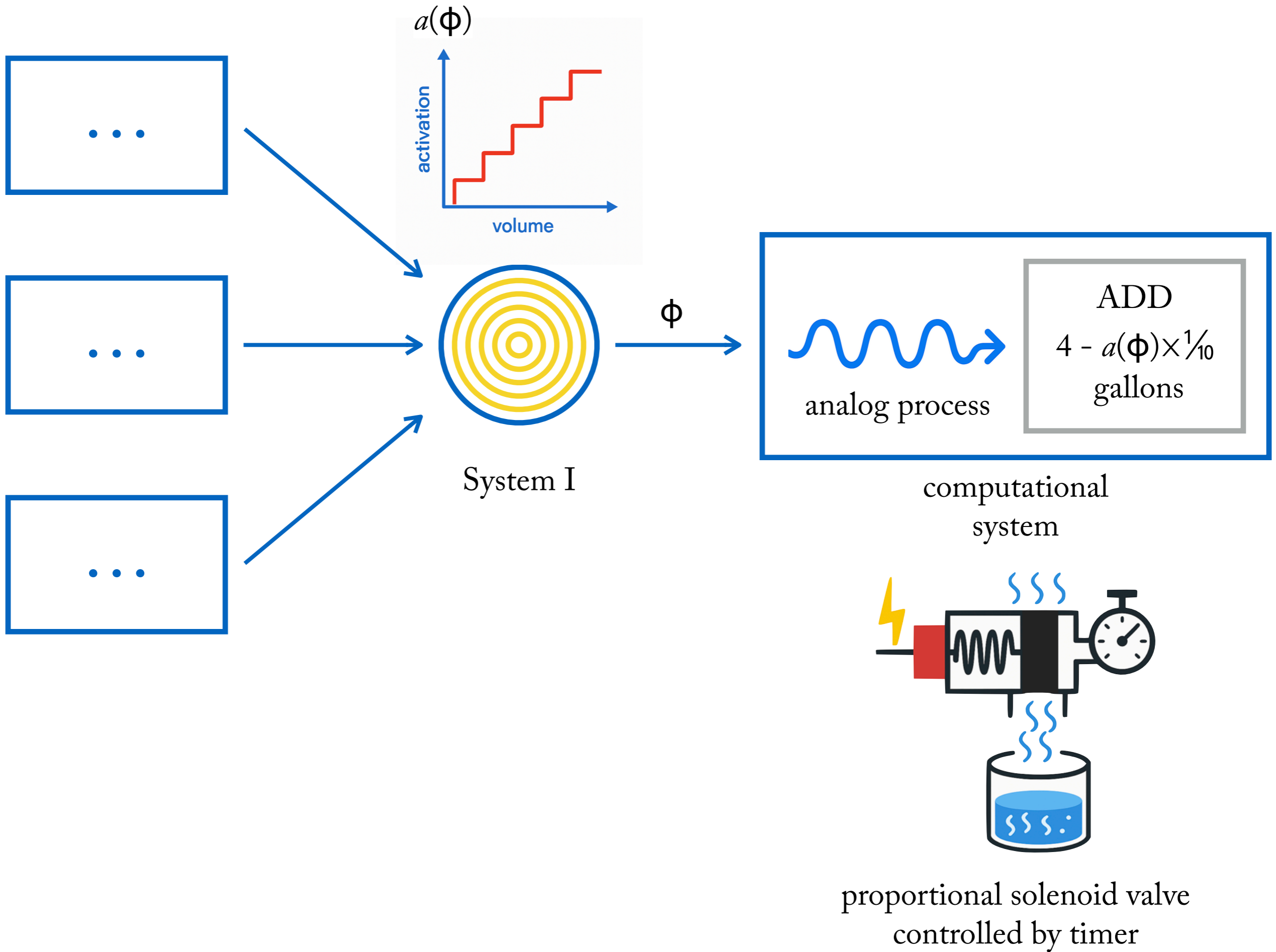


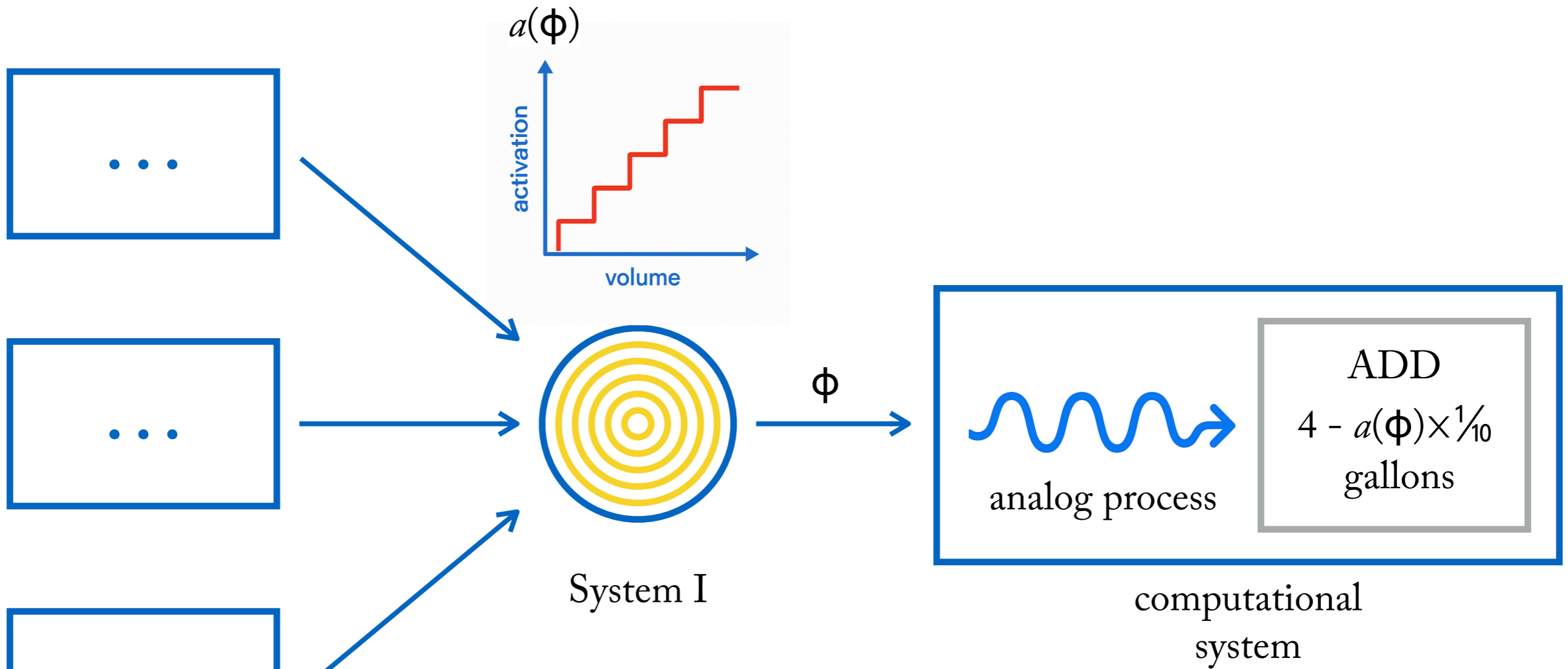
Content (▲) = ●

# System I

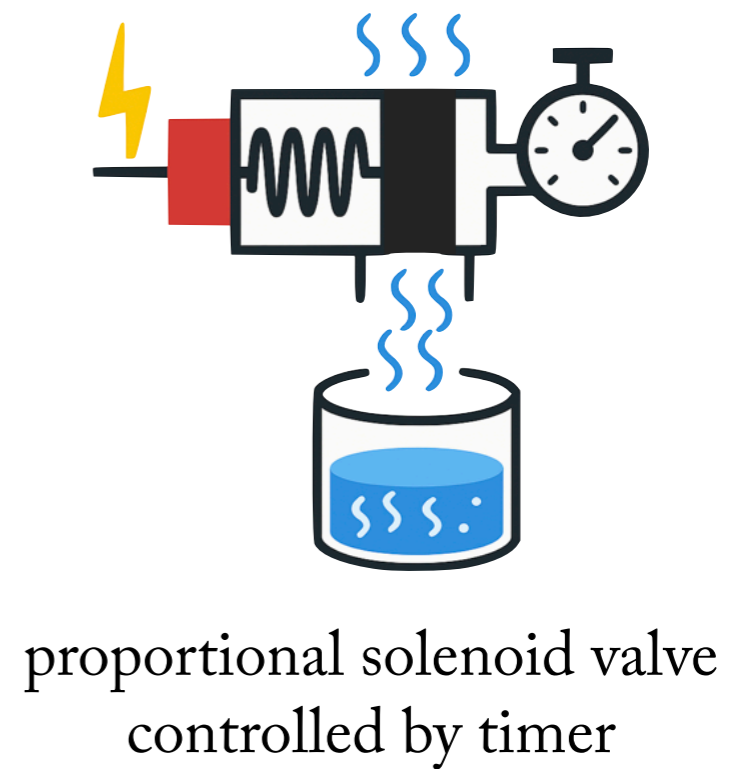
- Organism O must periodically **refill a fluid reserve U** in order to survive and reproduce.
- U may contain five different volumes of liquid:  
**0 gallons, 1 gallon, ... 4 gallons.**
- **System I** enters into one of five states of activity, measured as levels of activity **0 u, 10 u, ... 40 u.**
- Computational module M takes inputs from I:0-40u and outputs actions:  
**add 0 gal., add 1 gal., ... add 4 gal.**







The function of I is satisfied only if  
 if I produces  $\phi$  then  
 $volume(t) = a(\phi) \times \frac{1}{10}$  gallons.

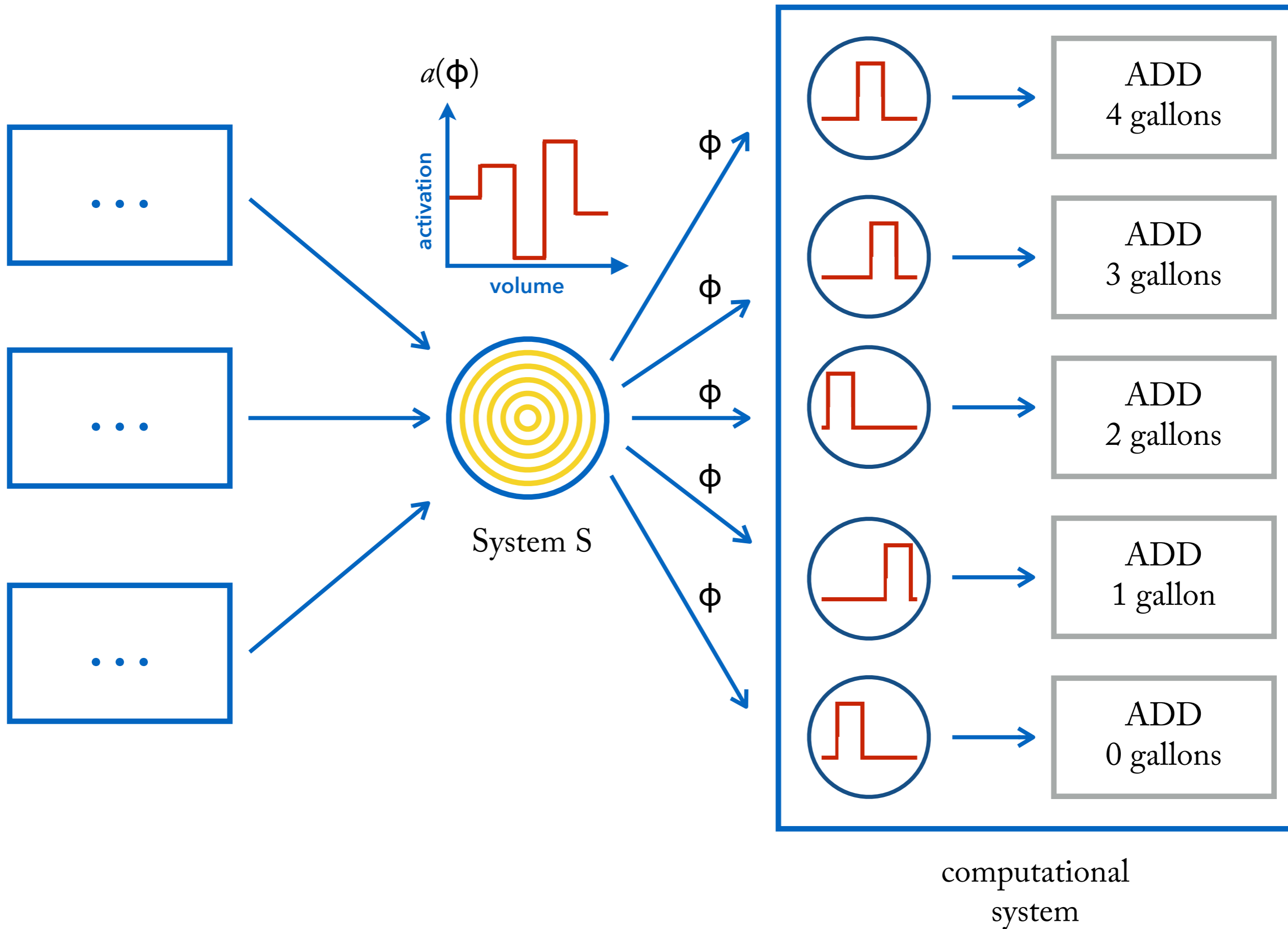


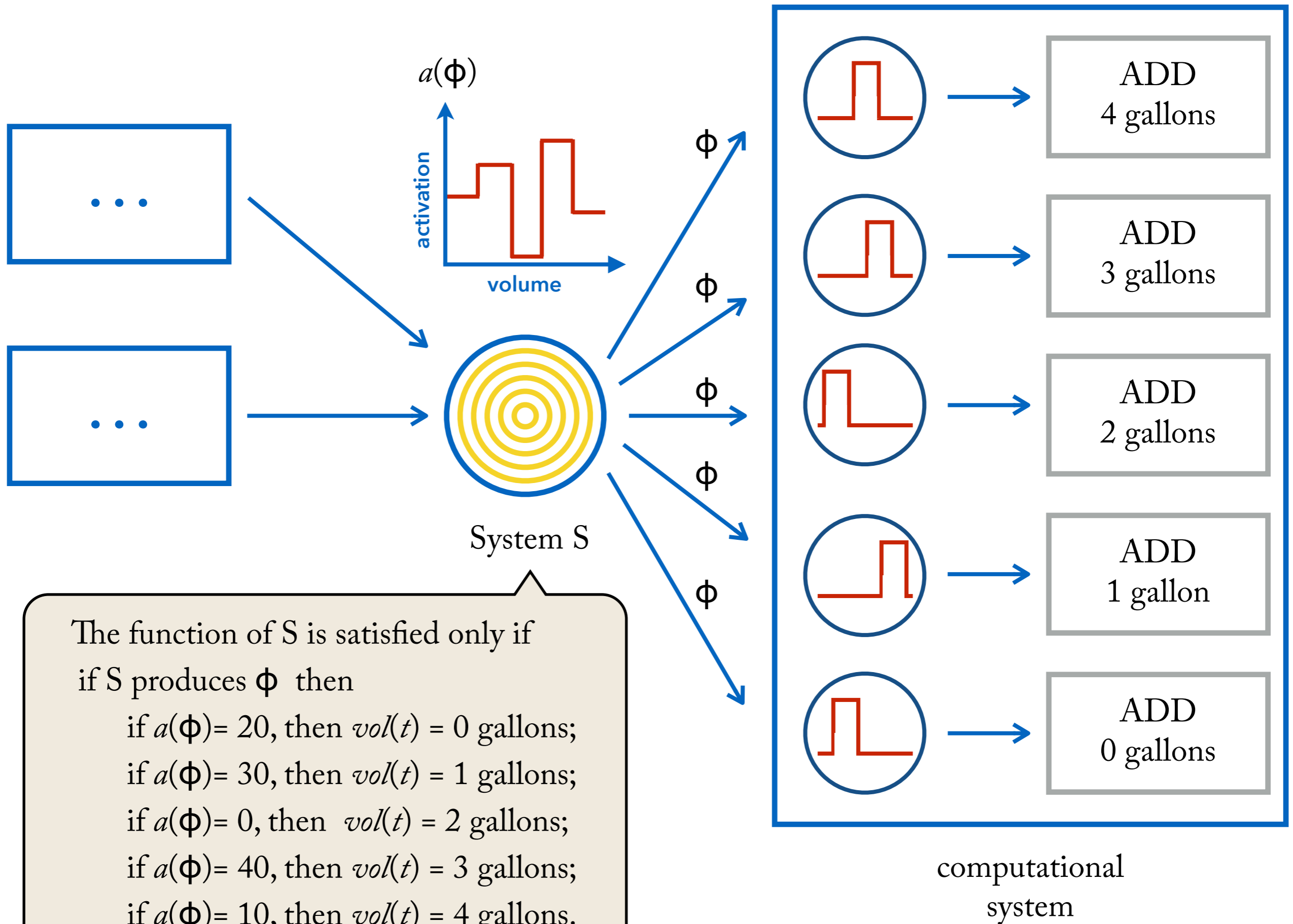
## System I's informational function

- The function of system I is satisfied in context  $c$  only if
  - for any state  $\Phi$  produced by I in  $c$ :
    - $volume(t_c) = activation(\Phi) \times \frac{1}{10}$  gallons.
- **Uniform:** applies to all internal states in the same way.
- **Form-dependent:** imposes a dependence between the form of internal states and the features of an external state.

## System S

- Organism O must periodically **refill a fluid reserve** U in order to survive and reproduce.
- U may contain five different volumes of liquid:  
**0 gallons, 1 gallon, ... 4 gallons.**
- **System S** enters into one of five states of activity, measured as levels of activity **0 u, 10 u, ... 40 u.**
- Computational module M takes inputs from I:0-40 and outputs motor actions M: **add 0 gal., add 1 gal., ... add 4 gal.**





The function of  $S$  is satisfied only if  
 if  $S$  produces  $\phi$  then  
 if  $a(\phi) = 20$ , then  $vol(t) = 0$  gallons;  
 if  $a(\phi) = 30$ , then  $vol(t) = 1$  gallons;  
 if  $a(\phi) = 0$ , then  $vol(t) = 2$  gallons;  
 if  $a(\phi) = 40$ , then  $vol(t) = 3$  gallons;  
 if  $a(\phi) = 10$ , then  $vol(t) = 4$  gallons.

## System S's informational function

- The function of system S is satisfied in context c iff
  - for any state  $\phi$ : if S produces  $\phi$  in c, then:
    - if *activation*( $\phi$ )= 20, then *volume*( $t_c$ ) = 0 gallons;
    - if *activation*( $\phi$ )= 30, then *volume*( $t_c$ ) = 1 gallon;
    - if *activation*( $\phi$ )= 0, then *volume*( $t_c$ ) = 2 gallons;
    - if *activation*( $\phi$ )= 40, then *volume*( $t_c$ ) = 3 gallons;
    - if *activation*( $\phi$ )= 10, then *volume*( $t_c$ ) = 4 gallons.

## System S's informational function

- The function of system S is satisfied in context c iff
  - for any state  $\phi$ : if S produces  $\phi$  in c, then:
    - if *activation*( $\phi$ ) = 20, then *volume*( $t_c$ ) = 0 gallons;
    - if *activation*( $\phi$ ) = 30, then *volume*( $t_c$ ) = 1 gallon;
    - if *activation*( $\phi$ ) = 0, then *volume*( $t_c$ ) = 2 gallons;
- **Itemized**: applies differently to each internal state type.
- **Form-independent**: imposes no dependence between internal states' forms and the external states' features.

## Two paths to content...

- **System S function:**

- $\forall \phi$ : if  $activation(\phi) = 20$ , then  $volume(t_c) = 0$  gallons;
- $\forall \phi$ : if  $activation(\phi) = 40$ , then  $volume(t_c) = 1$  gallon;

- **System I function:**

- $\forall \phi$ :  $volume(t_c) = activation(\phi) \times \frac{1}{10}$  gallons.

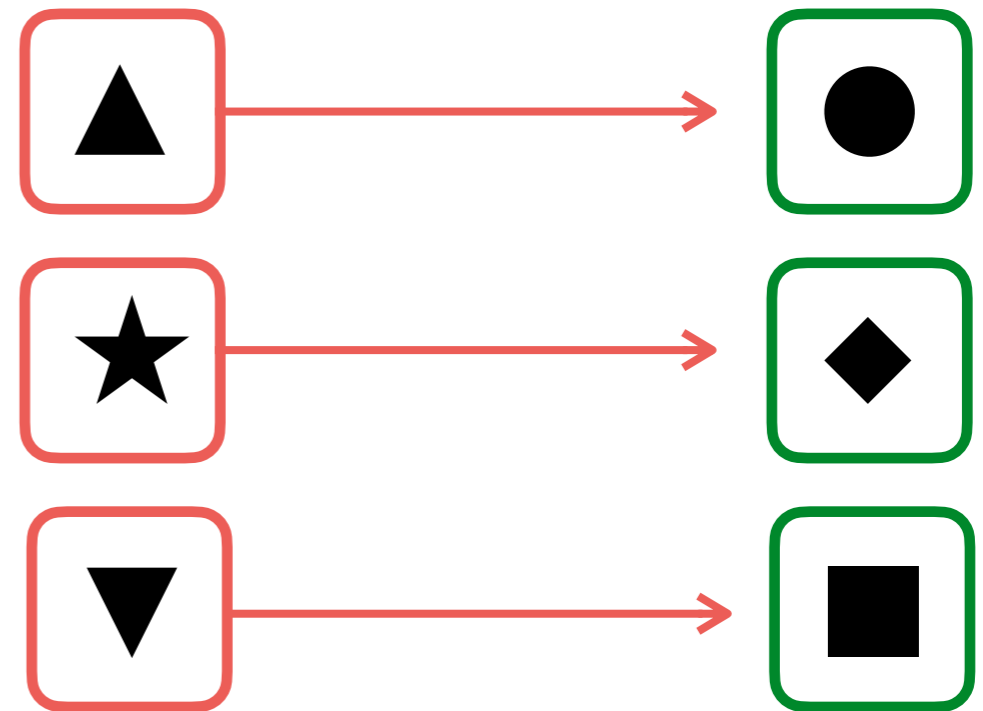
- **Content:**

For a representation A, where  $activation(A) = 20$ :

- S:  $Content(A) = \lambda x. volume(x) = 0$  gallons
- I:  $Content(20) = \lambda x. volume(x) = activation(A) \times \frac{1}{10}$  gallons  
 $= 20 \times \frac{1}{10}$  gallons  
 $= 2$  gallons

# Iconic and symbolic functions, revisited

- **Iconic functions** are uniform, form-dependent functions to carry information.
- **Symbolic functions** are itemized, form-independent functions to carry information.



# Structure in informational functions

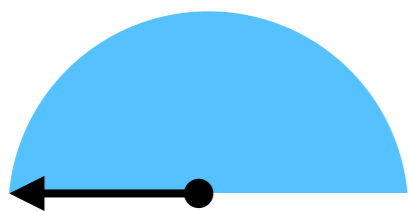
- Conditional and uniform functions
  - **Conditional:** sodium channels, blink reflex
  - **Uniform:** cell membrane, spine
- Form-dependent and form-independent functions
  - **Form-dependent:** adrenaline / heart-rate
  - **Form-independent:** reflex arcs (knee-jerk, eye-blink)
- Functions as structured and fine-grained abstracta.

# System I

*sign*

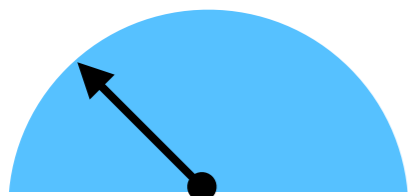
*content*

0°



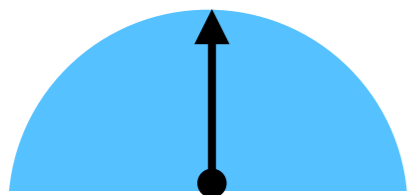
0 gallons

45°



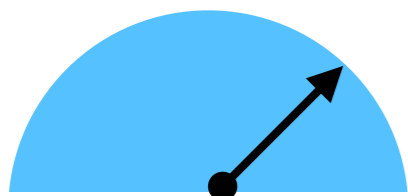
1 gallon

90°



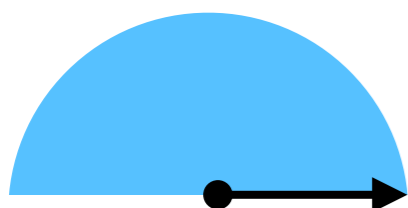
2 gallons

135°



3 gallons

180°



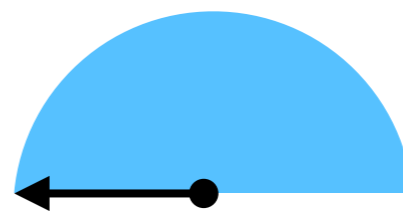
4 gallons

# System S\*

*sign*

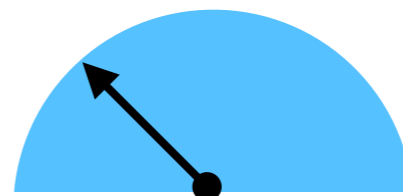
*content*

0°



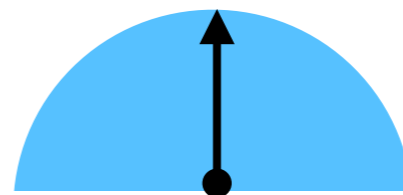
0 gallons

45°



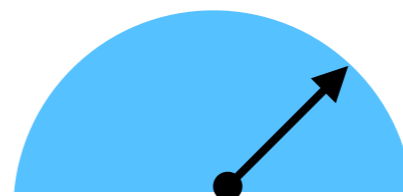
1 gallon

90°



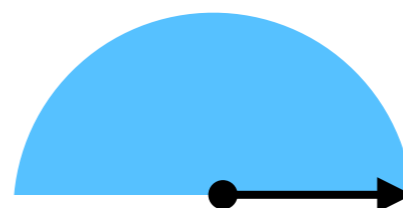
2 gallons

135°



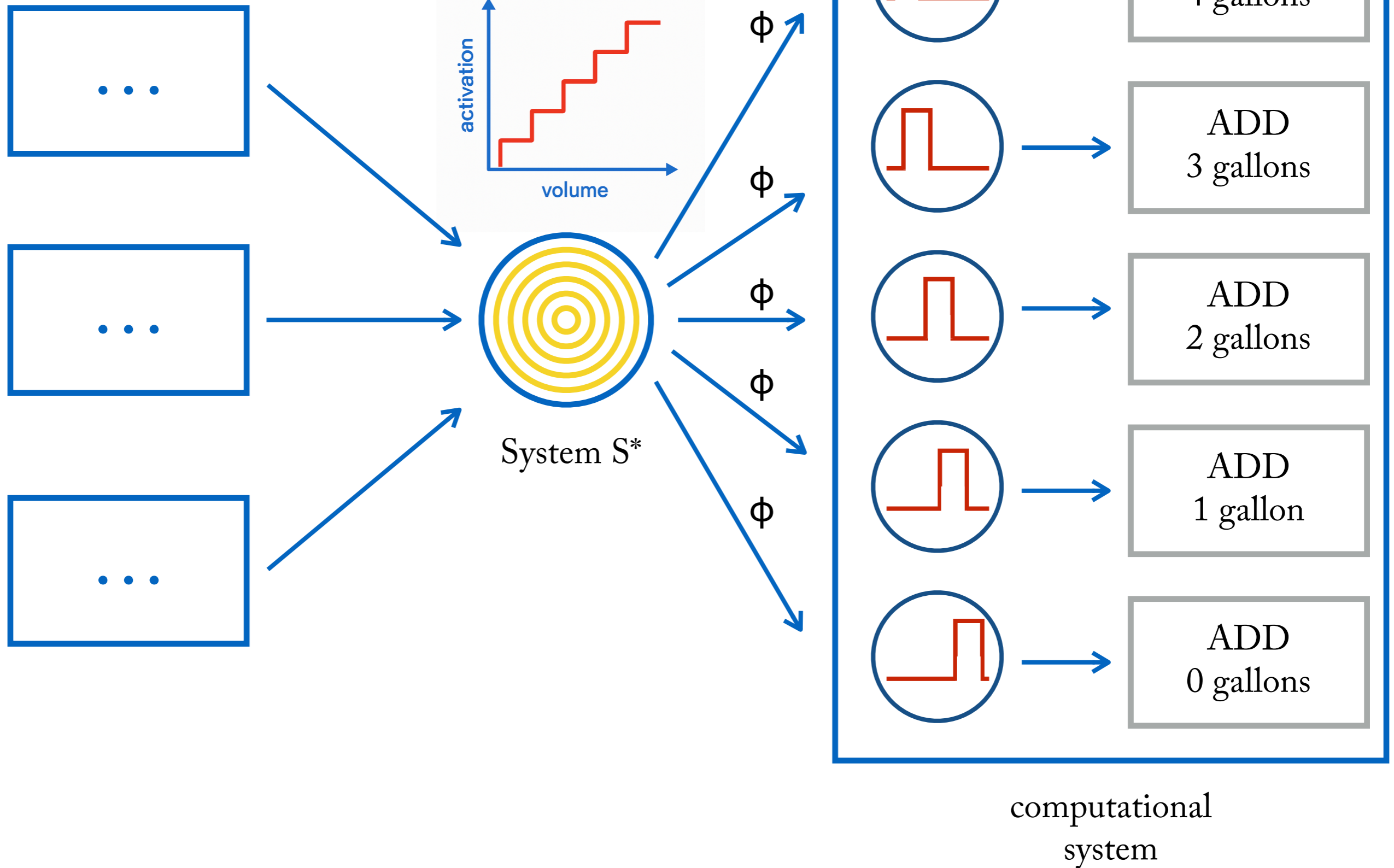
3 gallons

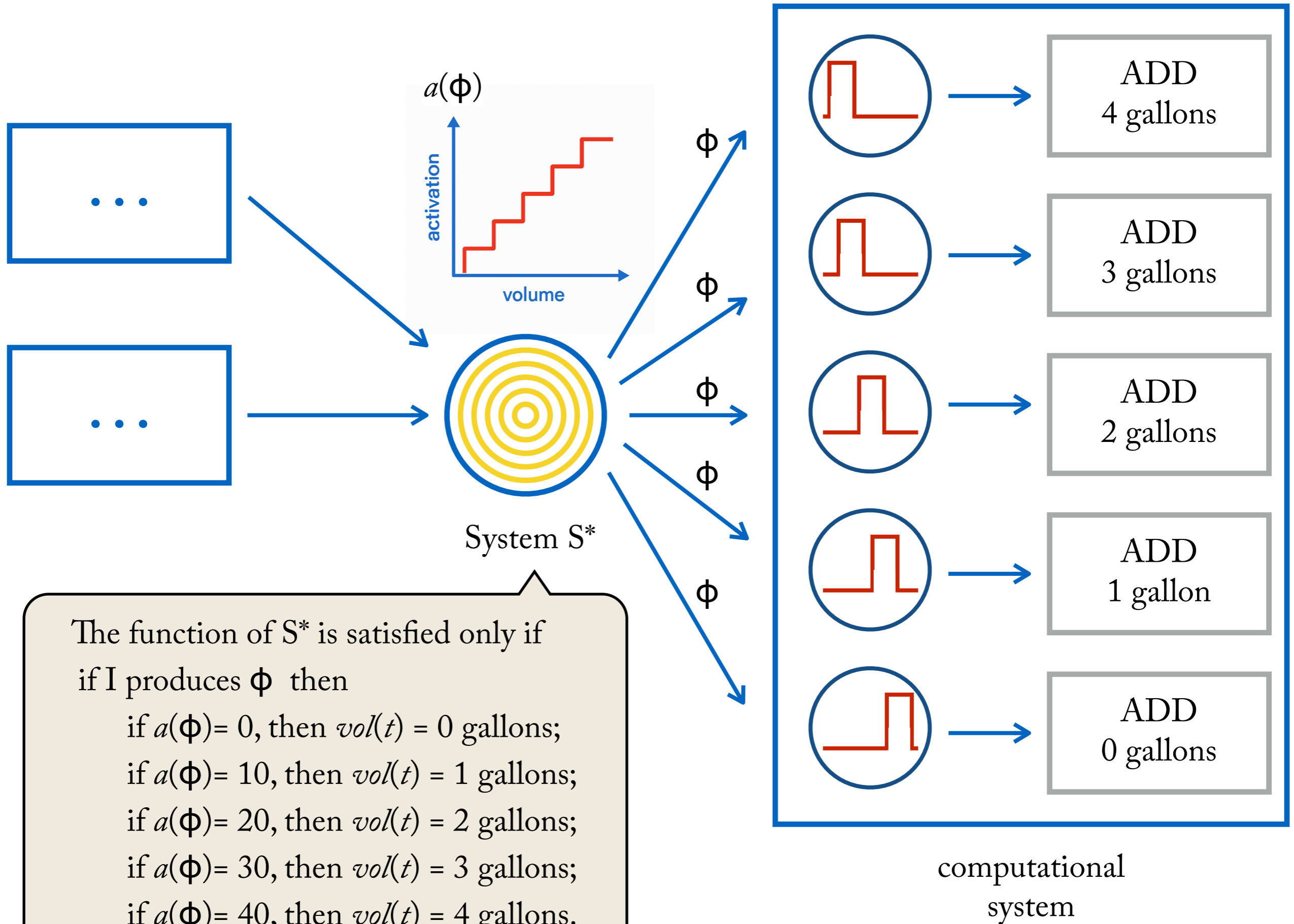
180°



4 gallons

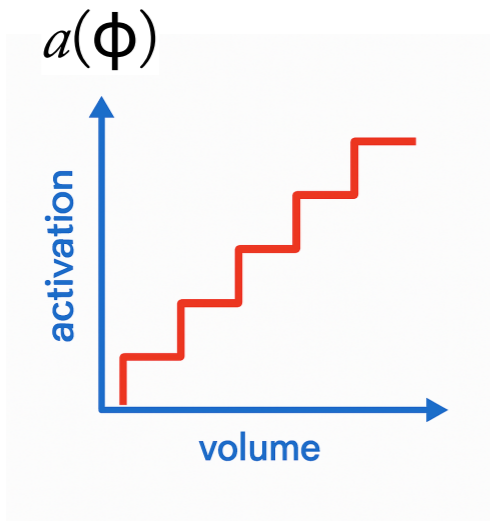
By random mutation...





The function of  $S^*$  is satisfied only if  
 if I produces  $\phi$  then  
 if  $a(\phi) = 0$ , then  $vol(t) = 0$  gallons;  
 if  $a(\phi) = 10$ , then  $vol(t) = 1$  gallons;  
 if  $a(\phi) = 20$ , then  $vol(t) = 2$  gallons;  
 if  $a(\phi) = 30$ , then  $vol(t) = 3$  gallons;  
 if  $a(\phi) = 40$ , then  $vol(t) = 4$  gallons.

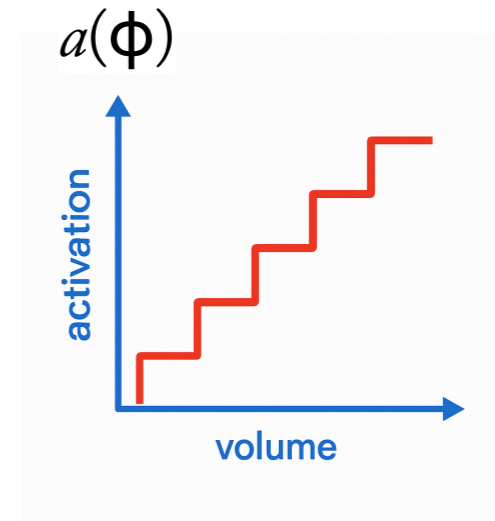
computational system



System I

The function of I is satisfied only if  
if I produces  $\phi$  then

$$volume(t) = a(\phi) \times \frac{1}{10} \text{ gallons.}$$



System S\*

The function of S\* is satisfied only if  
if S\* produces  $\phi$  then

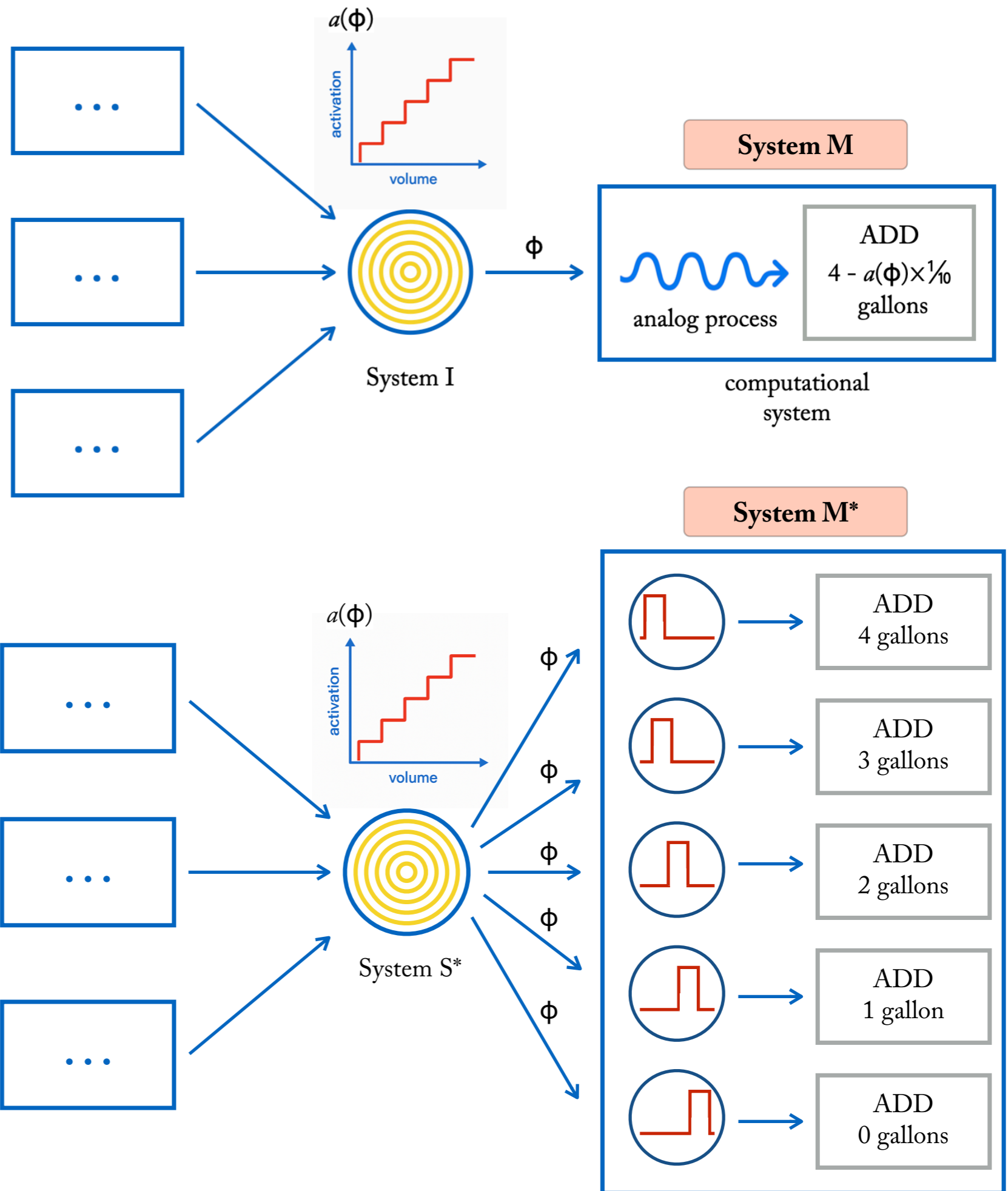
- if  $a(\phi) = 0$ , then  $vol(t) = 0$  gallons;
- if  $a(\phi) = 10$ , then  $vol(t) = 1$  gallons;
- if  $a(\phi) = 20$ , then  $vol(t) = 2$  gallons;
- if  $a(\phi) = 30$ , then  $vol(t) = 3$  gallons;
- if  $a(\phi) = 40$ , then  $vol(t) = 4$  gallons.

The function of I is satisfied only if  
if I produces  $\phi$  then

$$volume(t) = a(\phi) \times \frac{1}{10} \text{ gallons.}$$

The function of  $S^*$  is satisfied only if  
if  $S^*$  produces  $\phi$  then

- if  $a(\phi) = 0$ , then  $vol(t) = 0$  gallons;
- if  $a(\phi) = 10$ , then  $vol(t) = 1$  gallons;
- if  $a(\phi) = 20$ , then  $vol(t) = 2$  gallons;
- if  $a(\phi) = 30$ , then  $vol(t) = 3$  gallons;
- if  $a(\phi) = 40$ , then  $vol(t) = 40$  gallons.



## What is the difference between I and S\*?

- I and S\* use the same signs to carry the same information.
- But this information is **used** in different ways by different **consumer systems**.
- **Recall:** for information to be functional it must have a **selected effect** on the organism.
  - The effects of representational systems are felt by downstream consumer computations.
- A computational system **exploits** a relation to the environment iff it requires that relation to hold in order to fulfill (one of) its function(s).
- M and M\* exploit different (but co-extensive) relations between the representational system and the environment.
  - The relation  $\lambda t \lambda \phi. [volume(t) = a(\phi) \times \frac{1}{10} \text{ gallons}]$  plays an essential role in causally explaining the function of M, but not M\*.

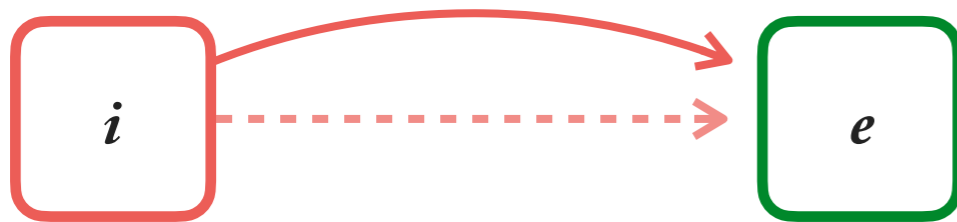
# Iconic Semantics

$$Content(s) = (angle(s) \times \frac{1}{45}) \text{ gallons of water in the tank}$$

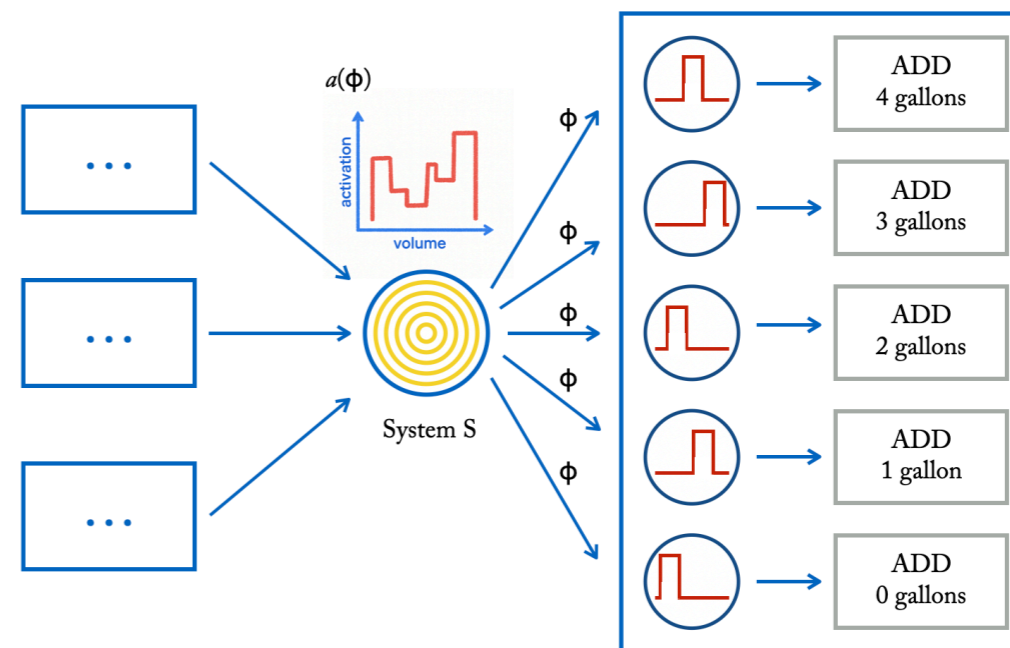
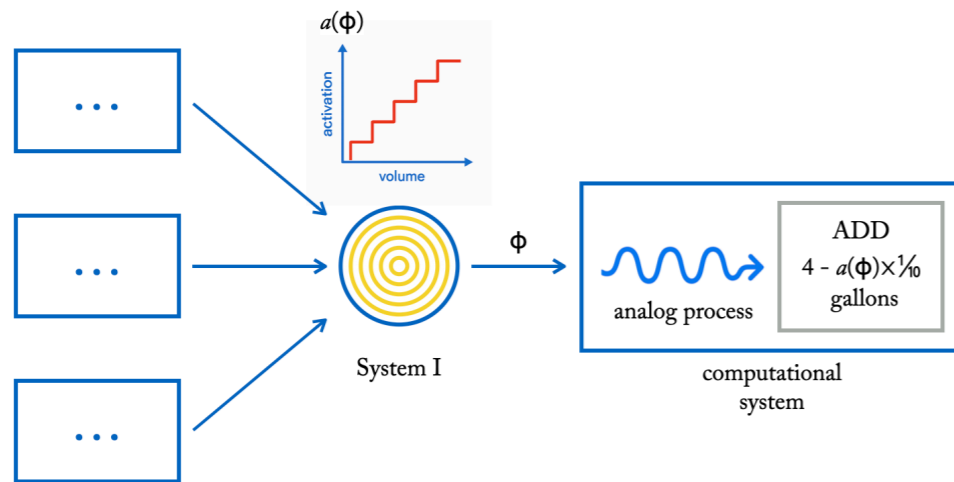
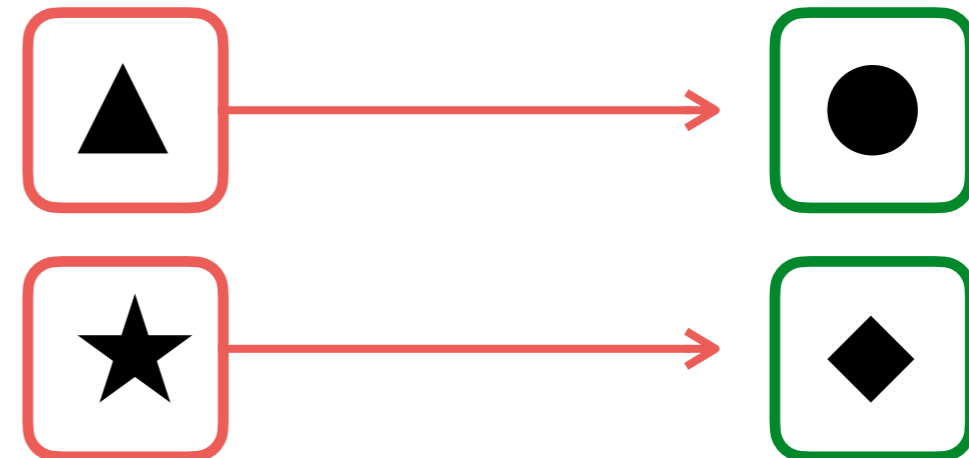
# Symbolic Semantics

- if  $angle(s) = 90$ ,  $Content(s) = 0$  gallons of water in the tank;
- if  $angle(s) = 180$ ,  $Content(s) = 1$  gallon of water in the tank;
- if  $angle(s) = 45$ ,  $Content(s) = 2$  gallons of water in the tank;
- if  $angle(s) = 135$ ,  $Content(s) = 3$  gallons of water in the tank;
- if  $angle(s) = 0$ ,  $Content(s) = 4$  gallons of water in the tank.

# Iconic Functions

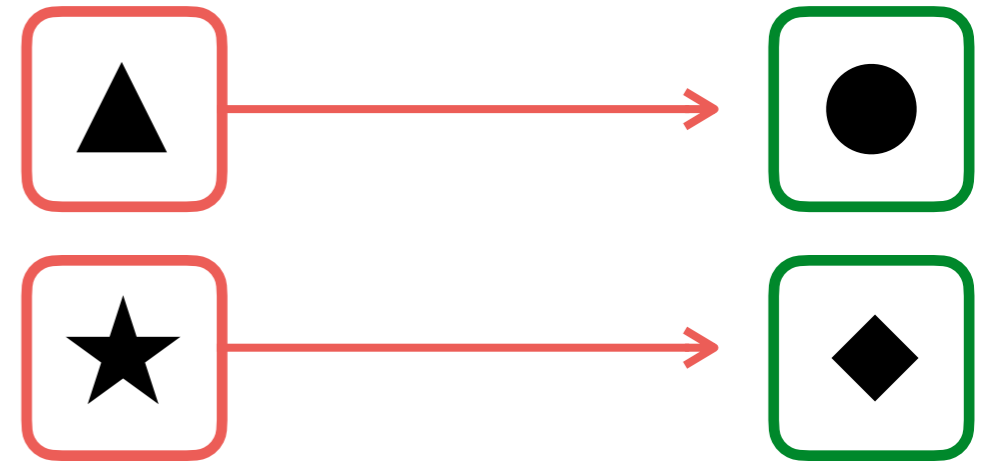


# Symbolic Functions





Symbolic function



Iconic function



Two ways of leveraging brain-world relations to encode content.

